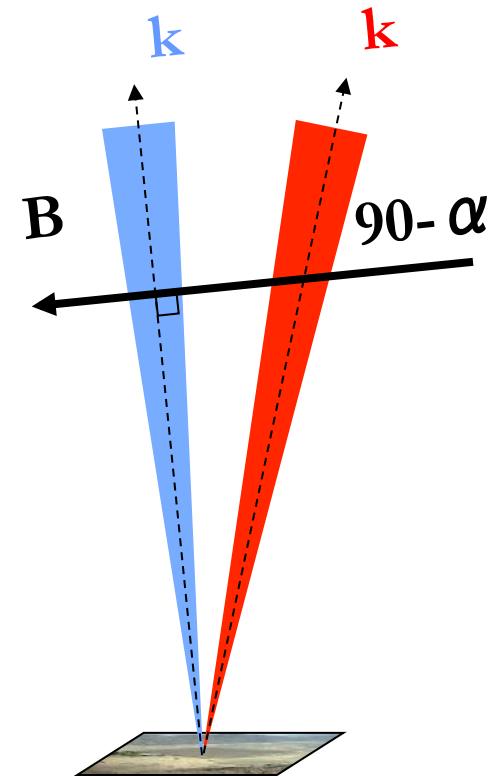


# Radar Techniques at the Jicamarca Radio Observatory for studies of the Equatorial Atmosphere/Ionosphere



J. L. Chau et al.

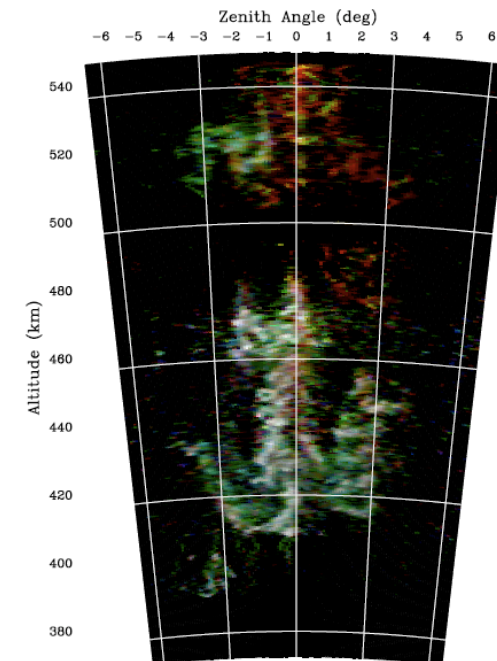
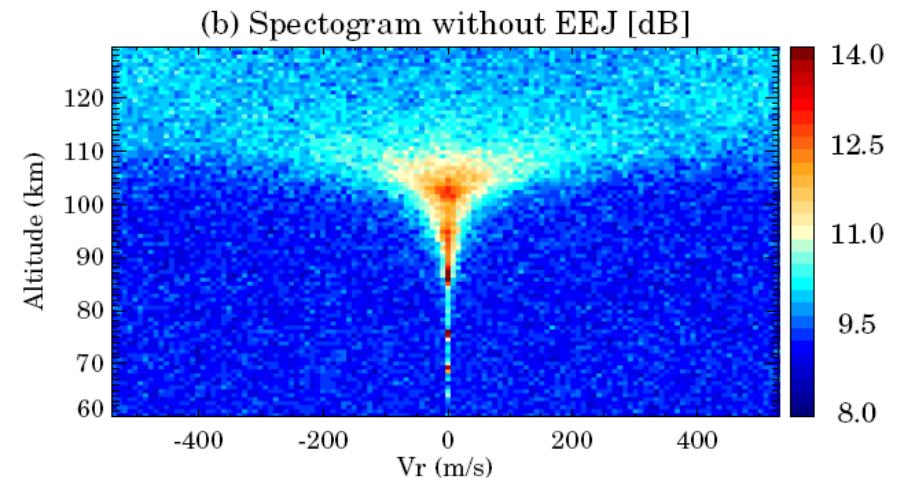
<sup>1</sup>Radio Observatorio de Jicamarca, Instituto Geofísico del Perú, Lima

<sup>2</sup>Earth and Atmospheric Sciences, Cornell University, Ithaca, USA

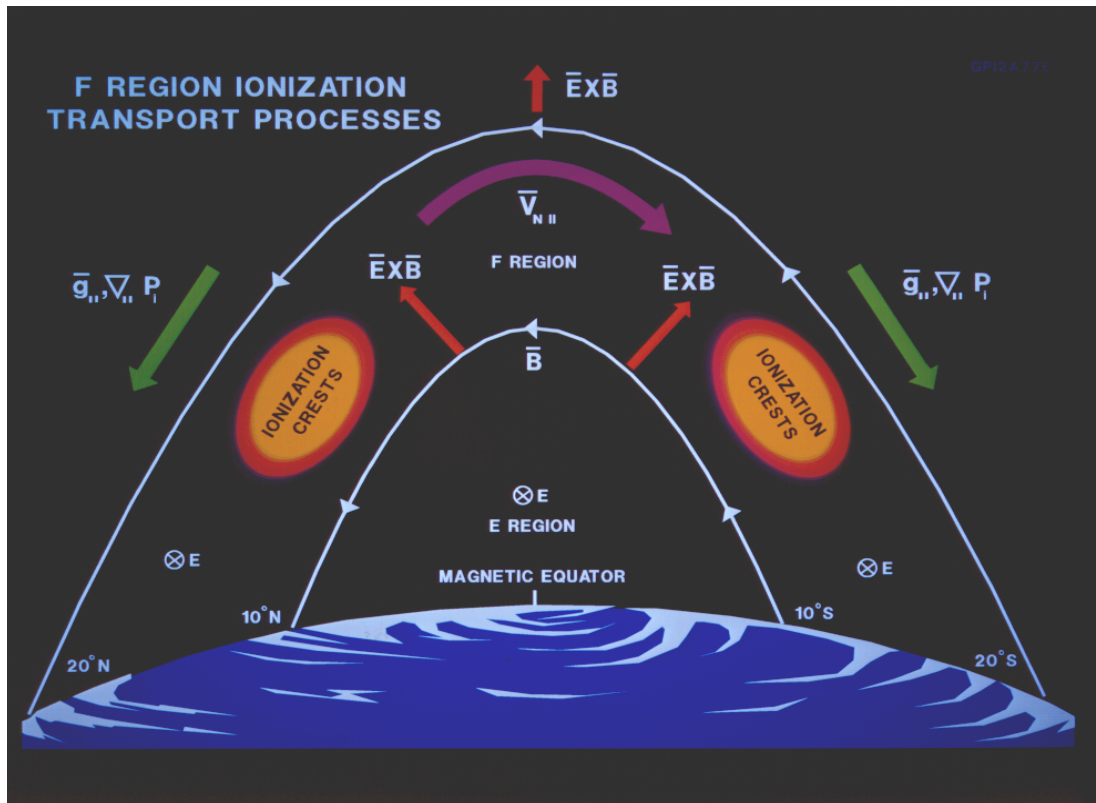
Oulu University – Dec 4, 2009

# Outline

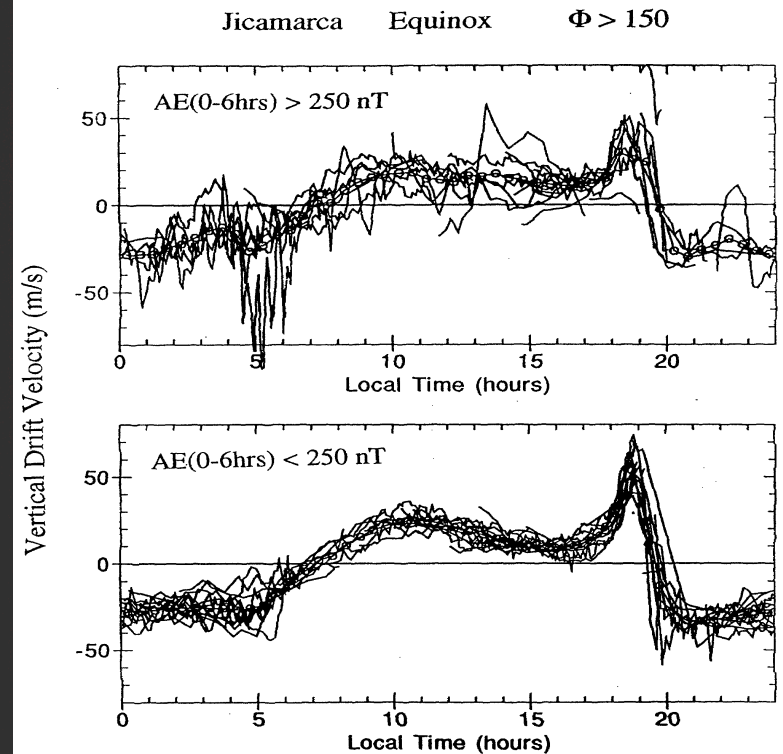
- The Equatorial Ionosphere
- The Jicamarca Radar
- Incoherent scatter techniques
  - Oblique vs. Perpendicular Modes
  - Pulsing schemes
- Coherent scatter techniques
  - MST Technique
  - Radar Interferometry
  - Aperture synthesis radar technique
- Irregularity comparison: in-situ vs. Radar



# Equatorial Ionosphere



- **B** field is nearly horizontal
- Daytime:
  - E-region E is eastward
  - Off-equatorial E maps to F above mag. Equator -> Upward ExB
  - Formation of Appleton Anomaly

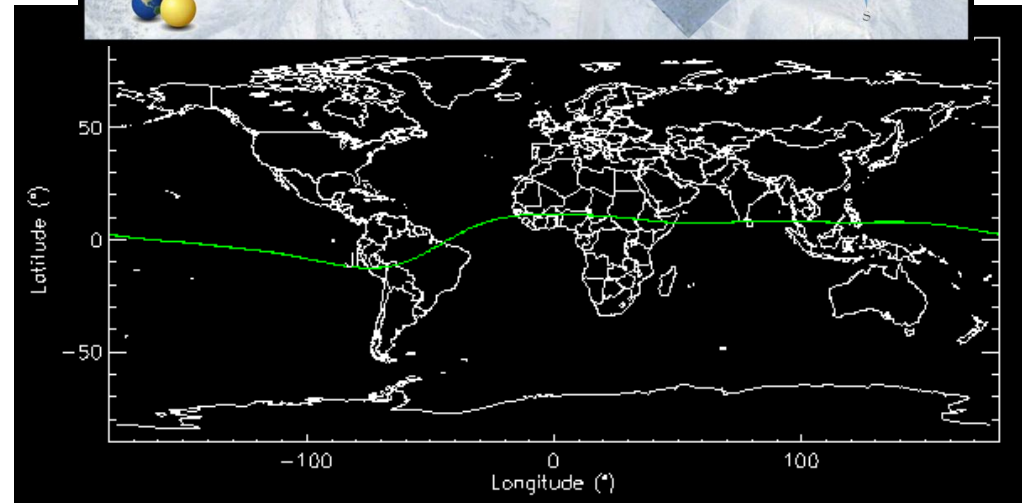
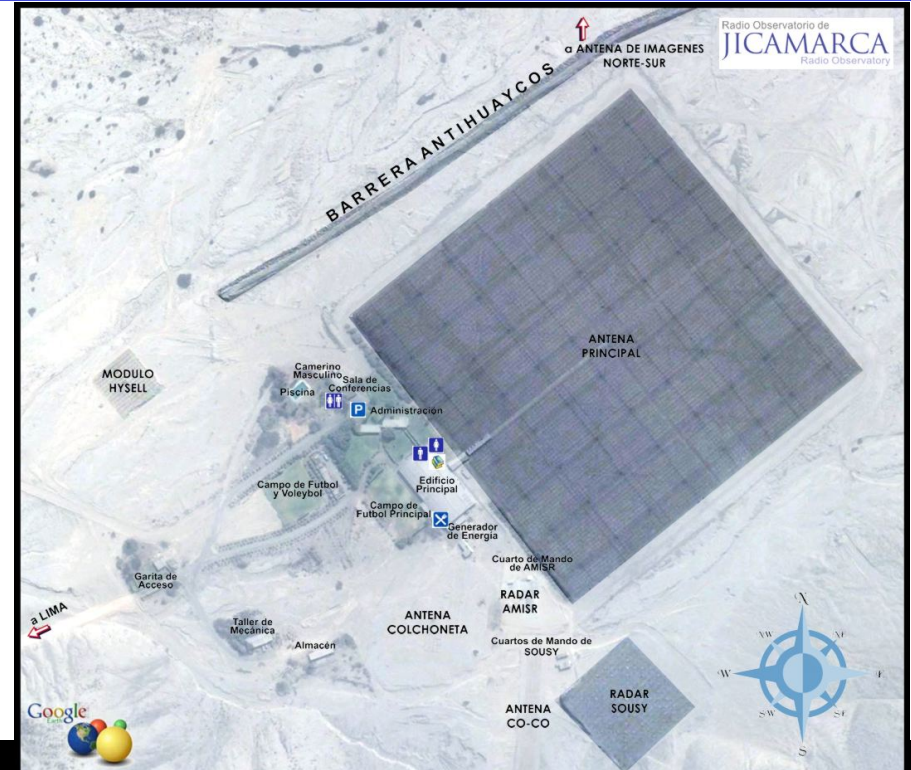


[from Fejer et al, 1999]

- Around sunset, **F region dynamo develops and competes with E**, generates PRE and ExB goes downward (E westward)
- At night upward density gradient is opposite in direction to **g**, **Rayleigh-Taylor unstable**, allowing plasma density irregularities to form.

# The Jicamarca Radio Observatory

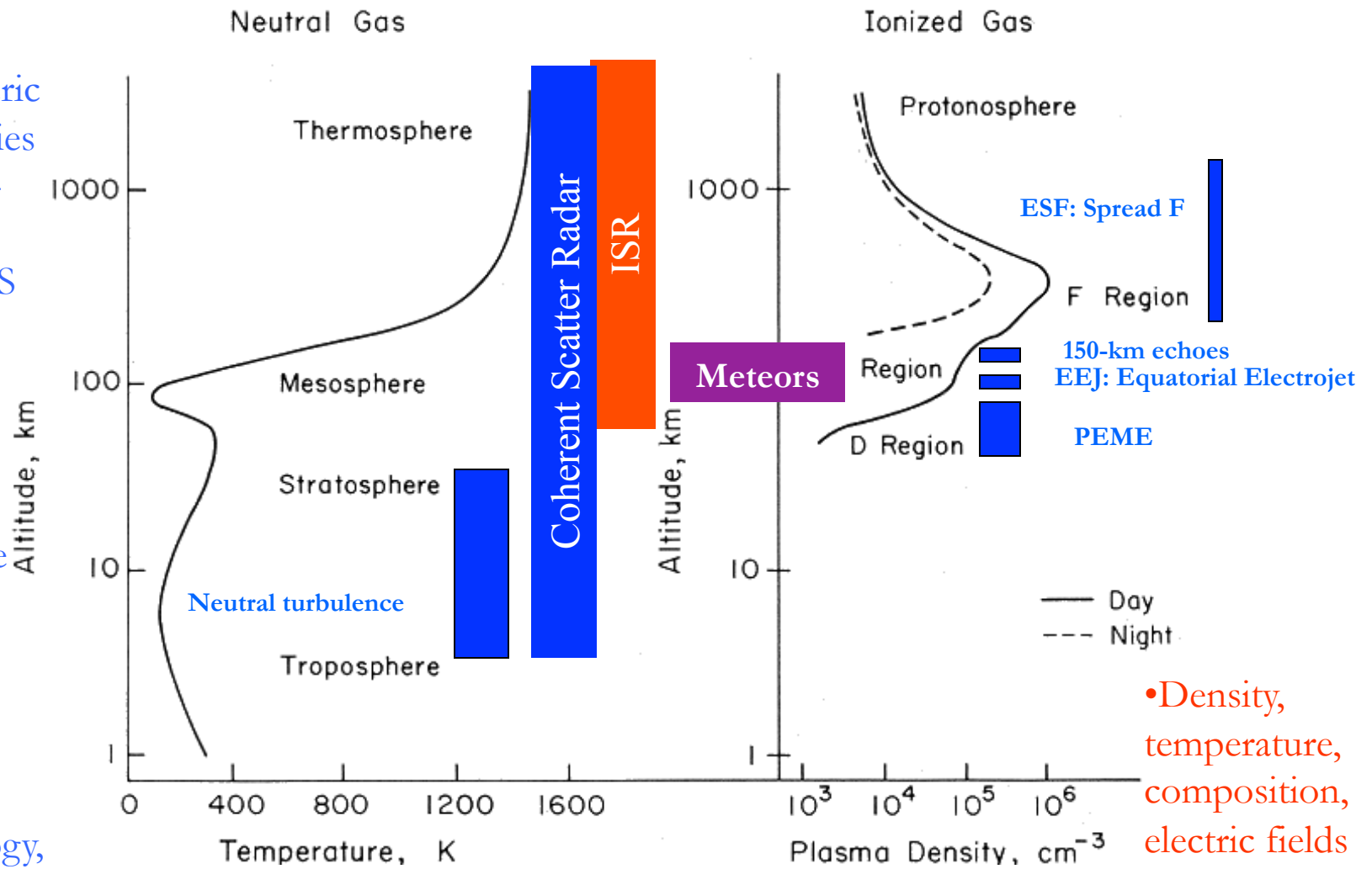
- Built in 1961 by the US NBS and then donated to IGP in 1969.
- Operating frequency: 50 MHz
- Antenna type: array of 18,432 dipoles, organized in 8x8 cross-polarized modules.
- Pointing directions: within 3 degrees from on-axis. Phase changes are currently done manually.
- Transmitters: 3 x 1.5 MW peak-power with 5% duty cycle.
- Located “under” the magnetic equator (dip 1°).



# ¿What do we study at Jicamarca?

- Ionospheric Irregularities (EEJ, 150-km, ESF).
- SAR, GPS

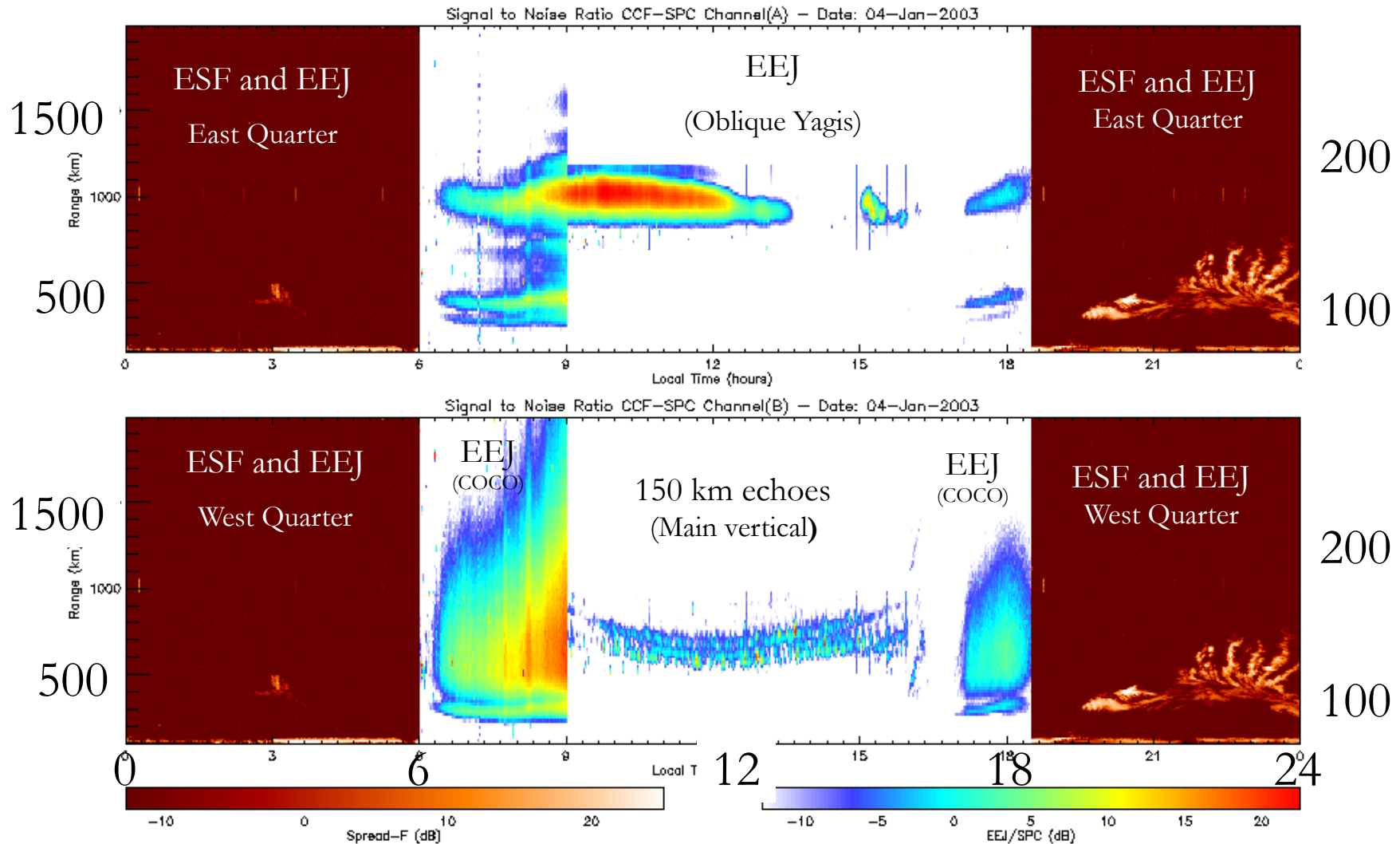
- Neutral atmosphere dynamics (winds, turbulence, vertical velocities)
- Meteorology, aviation.



- Density, temperature, composition, electric fields
- Modeling, space weather

# Equatorial Irregularities (1)

## RTIs above 100 km

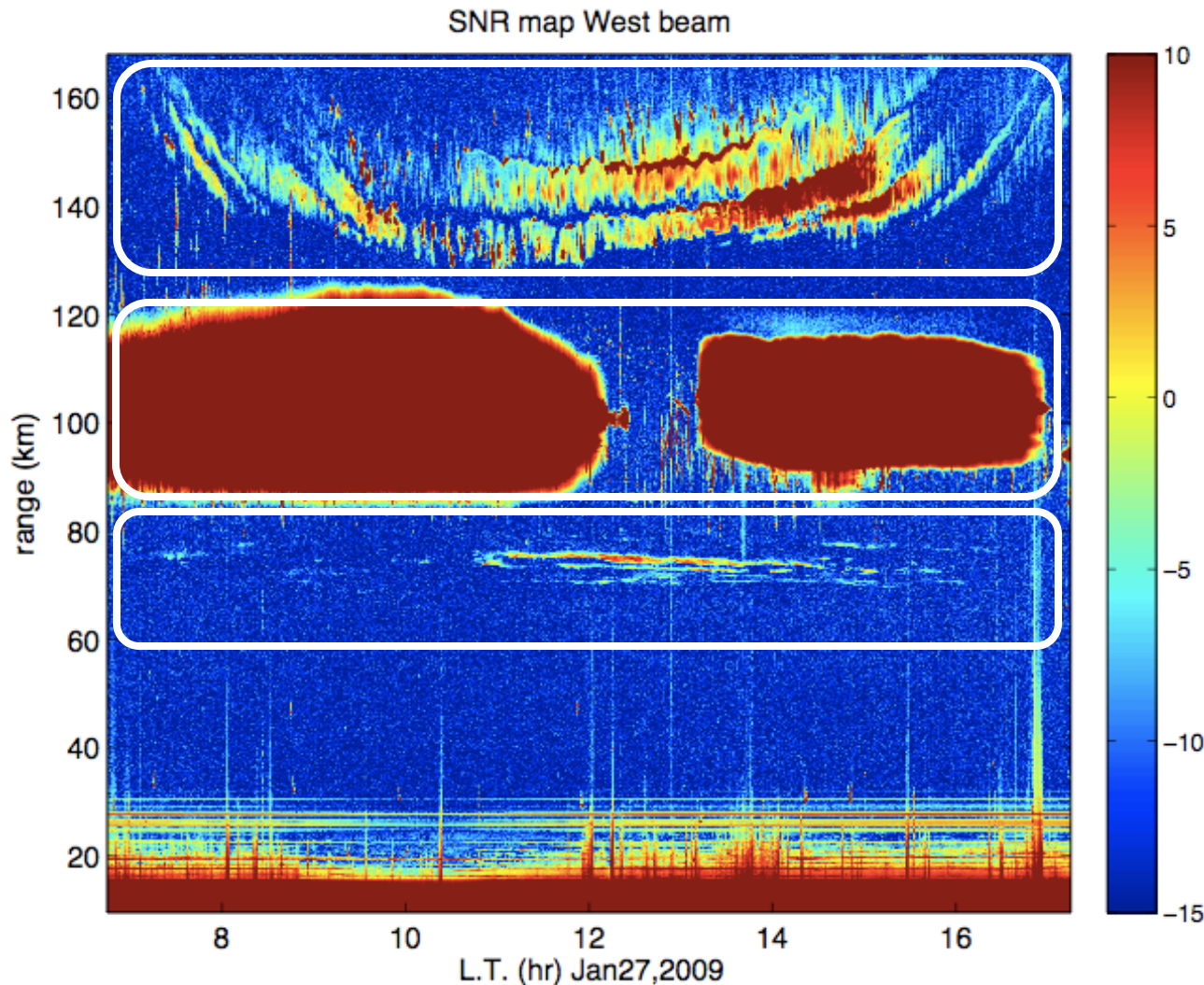


**ESF:** Equatorial Spread F (nighttime)

**150-km echoes:** Daytime

**EEJ:** Equatorial Electrojet (all day)

# Equatorial Irregularities (2) Below 200 km



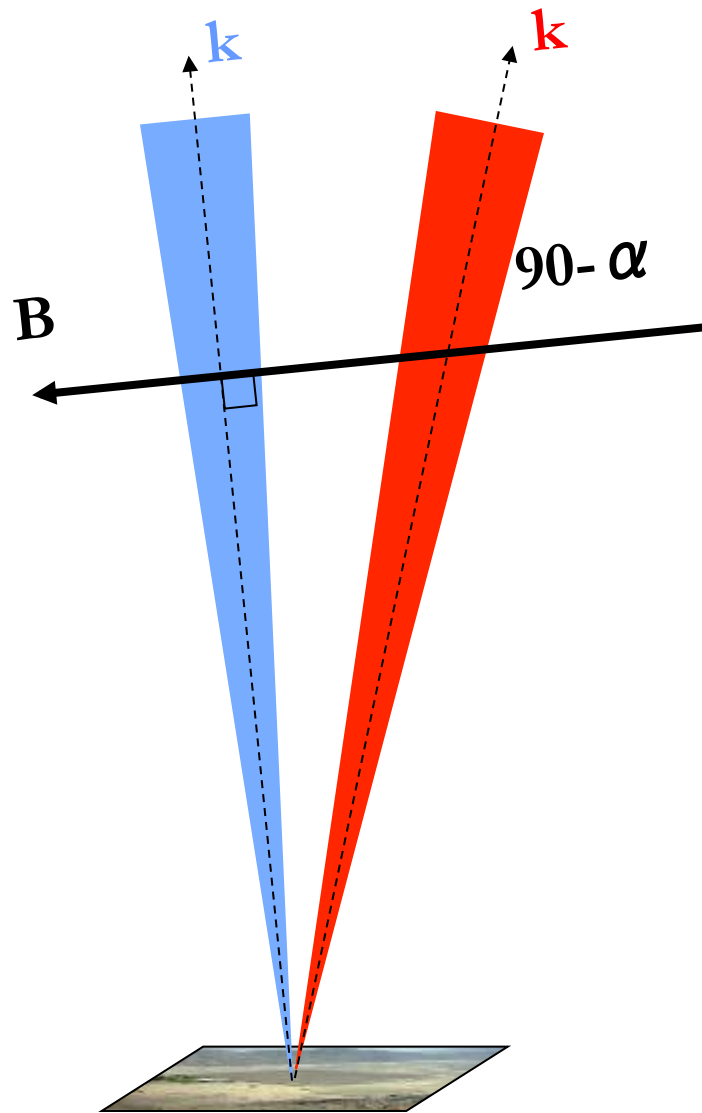
- ExB drifts from 150-km first moment.
- Plasma physics from EEJ spectra
- Plasma physics and lower thermosphere winds from non-specular meteor trails
- Mesospheric winds from mesospheric echoes

- **Antenna modularity** (Radar Interferometry, Imaging, Spaced Antenna, Antenna Compression, multi-beam experiments).
- **Antenna polarization** (Faraday rotation, simultaneous multi-beam experiments)
- **Radar Frequency** (coherent scattering, Faraday Rotation, high skynoise)
- **Location** (variety of atmospheric/ionospheric targets, transverse and longitudinal propagation modes)
- **In-house hardware and software development** (variety of pulse compression schemes, frequency domain interferometry, aperiodic pulsing, multi-pulse schemes)



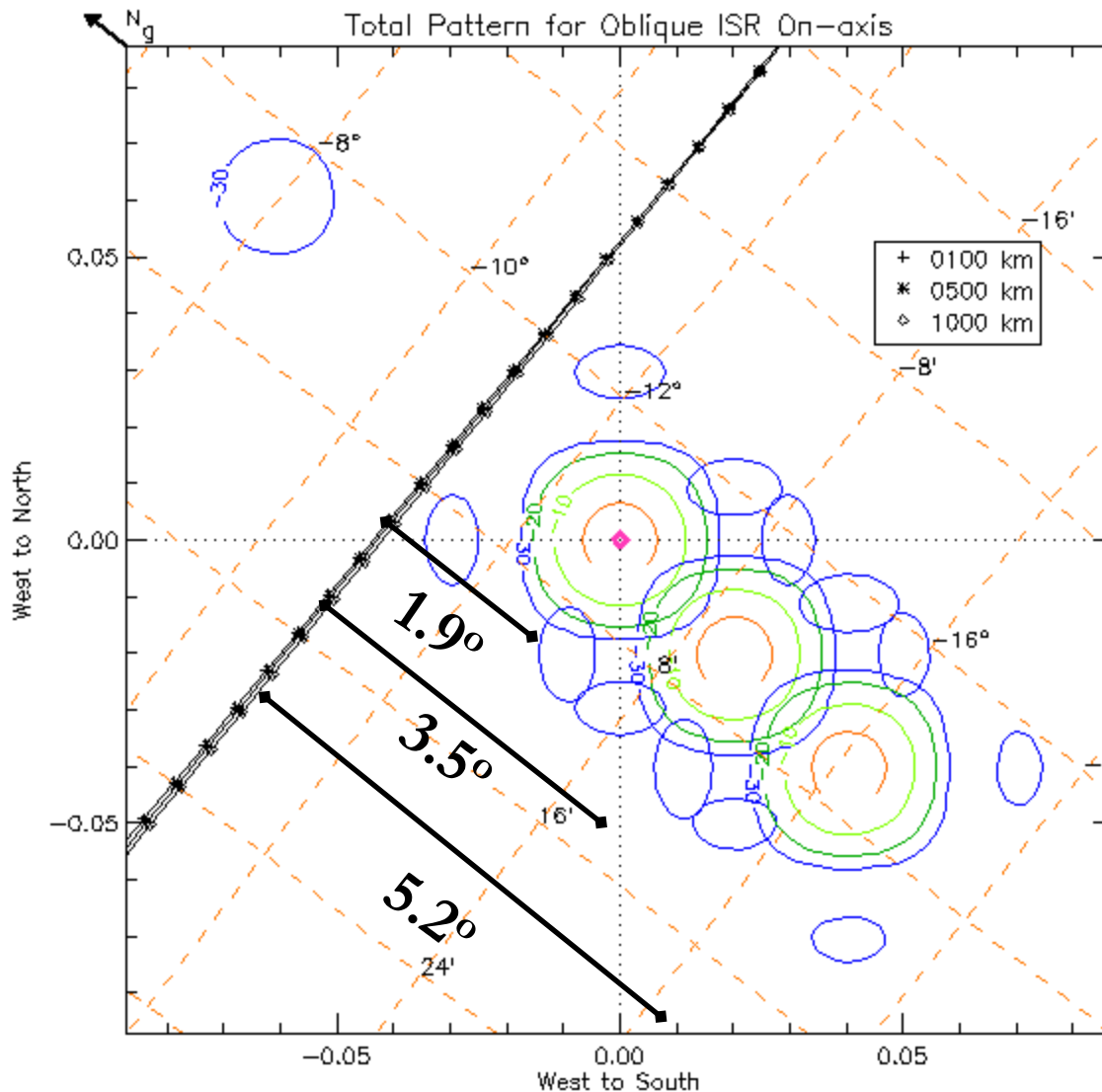
# Incoherent Scatter Techniques

# Oblique vs. Perpendicular ISR: Geometry



- Depending on  $\alpha$ :
  - Oblique:  $\alpha > 0$
  - Perpendicular:  $\alpha = 0$
- What is the  $\alpha$  boundary between modes?
- What are the antenna patterns used?
- What are the differences on ACFs and spectra between modes?
- How is the polarization of returned signals?
- How are the modes affected by coherent scatter echoes?
- What can be measured?

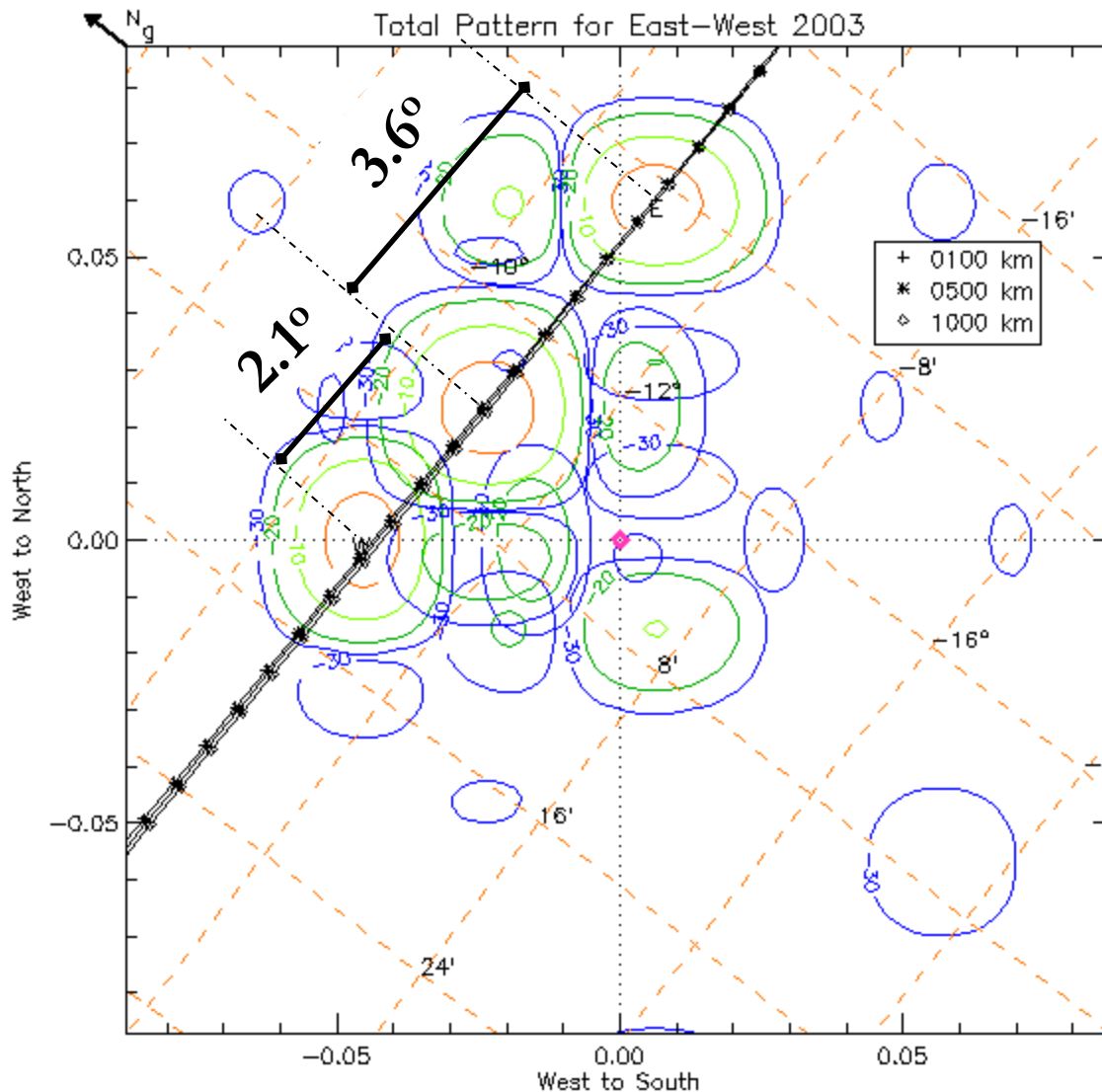
# Oblique ISR: Antenna Patterns



Over Jicamarca: 17-May-2005 (137)

- Three standard beam positions are used:
  - On-axis ( $\alpha = 1.9^\circ$ )
  - “4.5” ( $\alpha = 3.5^\circ$ )
  - “6.0” ( $\alpha = 5.2^\circ$ )
- Maximum antenna gain is obtained with “On-axis” and less with “6.0”.
- Be careful of possible sidelobes pointing perpendicular to  $\mathbf{B}$ , since locus of perpendicularity changes from year to year.
- Scattered signals will be convolved with the antenna pattern.

# Perpendicular ISR: Antenna Patterns

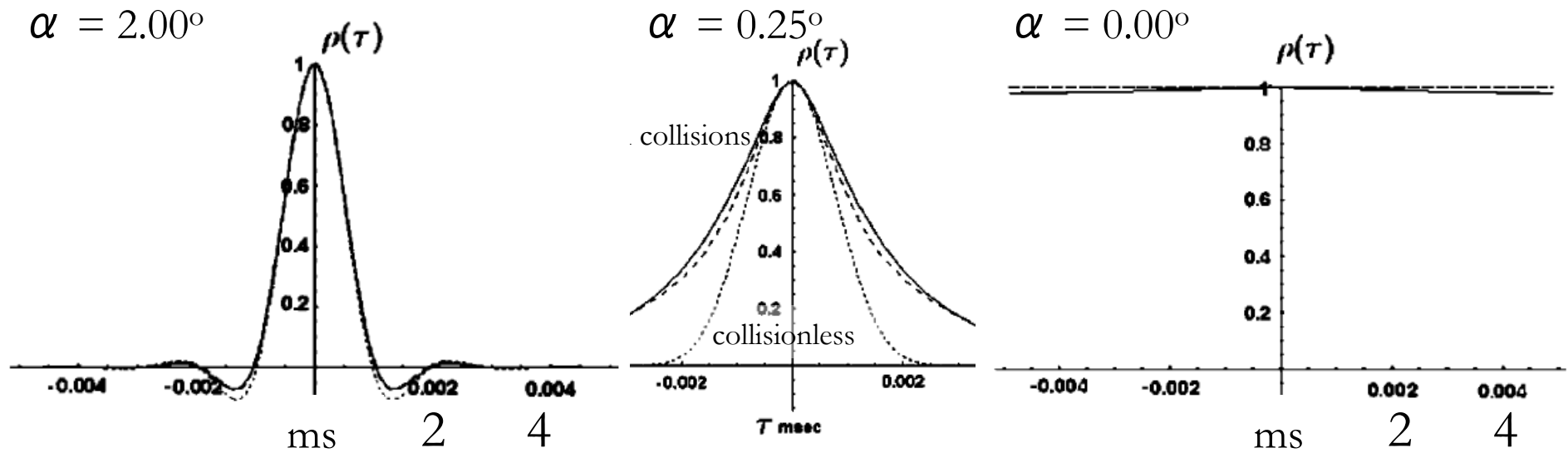


Over Jicamarca: 17-May-2005 (137)

- Three standard beam positions are used:
  - Vertical (both polarizations)
  - “East” ( $3.6^\circ$  with respect to vertical). One linear polarization.
  - “West” ( $\sim 2.1^\circ$ ). The other linear polarization
- Maximum antenna gain is obtained with “Vertical” and less with “East”.
- Either Vertical or East-West modes are run at the time, unless wider beams are used (i.e., smaller antennas).
- Recall that the scattered signals will be convolved with the antenna pattern.

# Oblique vs. Perpendicular: ACFs

[from *Woodman*, 2004]

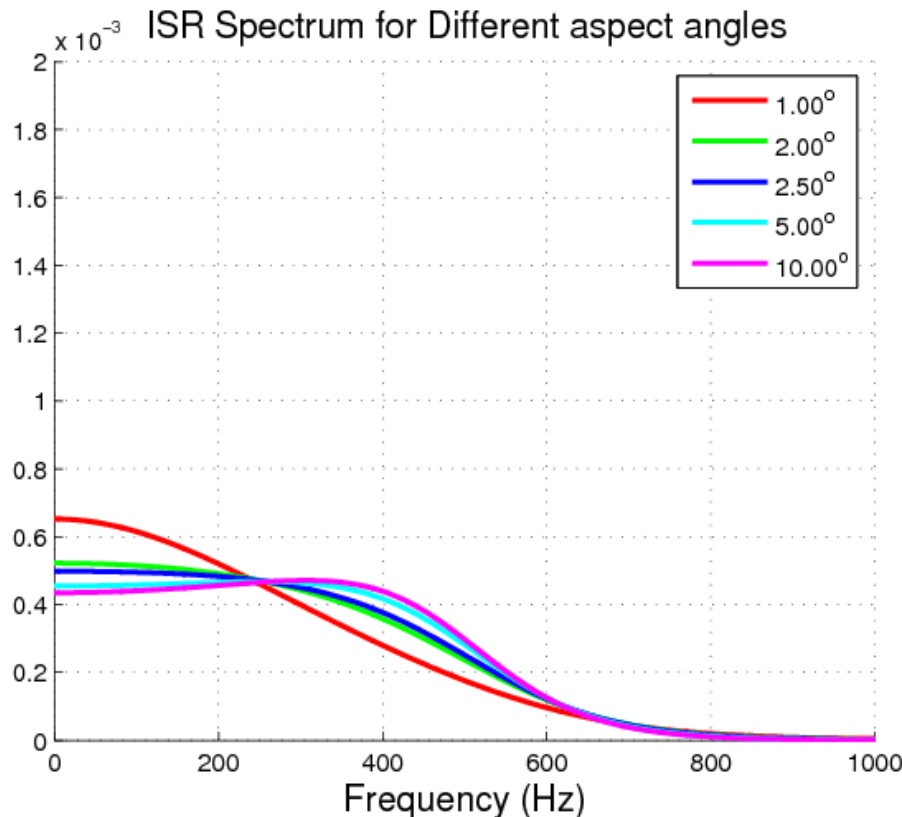


Oblique

Perpendicular

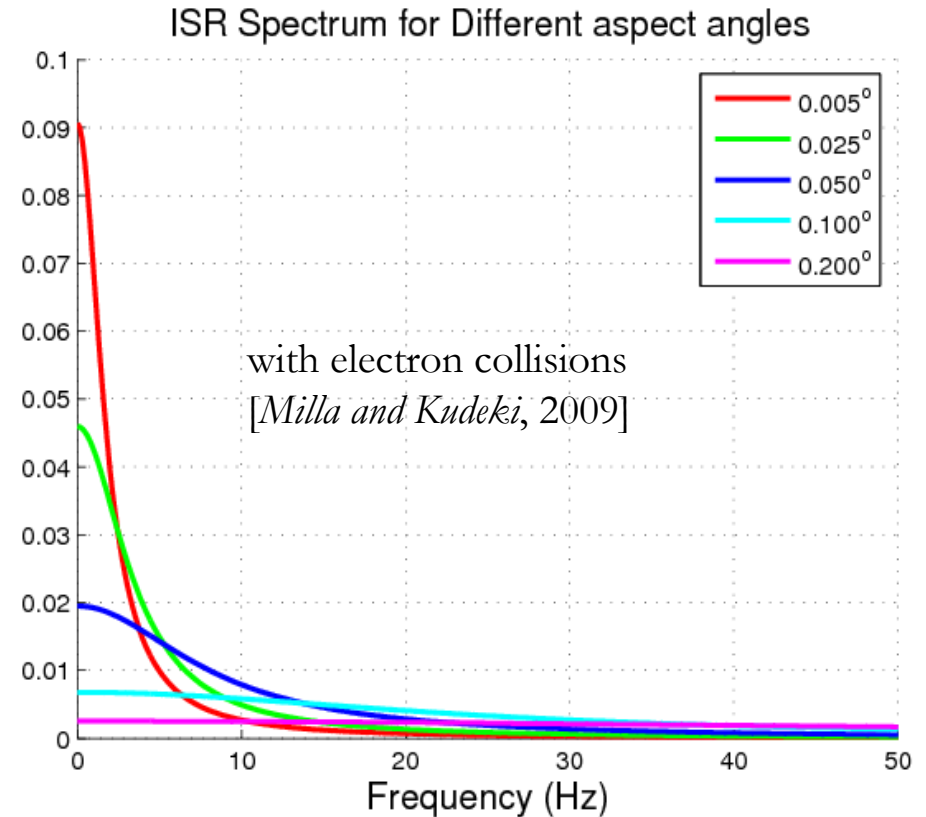
- ACFs are **narrow**
  - 1 ms = 150 km (for monostatic measurements)
  - ACFs are very similar to the non-collisional, unmagnetized case like those observed with EISCAT radars.
  - ACFs are dominated by the dynamics of the ions
  - **Within the pulse** (or IPP) estimation is needed to avoid range ambiguity
  - Critical angle:  $\alpha = 0.334^\circ$  (where ions and electrons behave as they had equal “mass”).
- ACFs are **very wide**. Coulomb collisions and magnetic field effects need to be considered.
  - ACFs dominated by the dynamics of the electrons (electrons behave “heavier” than ions).
  - Very quickly gets wider (small  $\alpha$  values).
  - Due to long correlation times, **pulse-to-pulse** estimation can be performed, and very accurate vertical and zonal drifts are estimated.

# Oblique vs. Perpendicular: Spectra



## Oblique

- Spectra are wide ( $>1000$  m/s or 300 Hz at 50 MHz) and independent of  $\alpha$  within typical antenna beam widths.



## Perpendicular

- Spectra get narrower (less than 150 m/s) for smaller  $\alpha$  and change very quickly.
- Measured spectra results from a convolution of spectra with different widths due to finite antenna beam width.

# Oblique vs. Perpendicular: Faraday Rotation

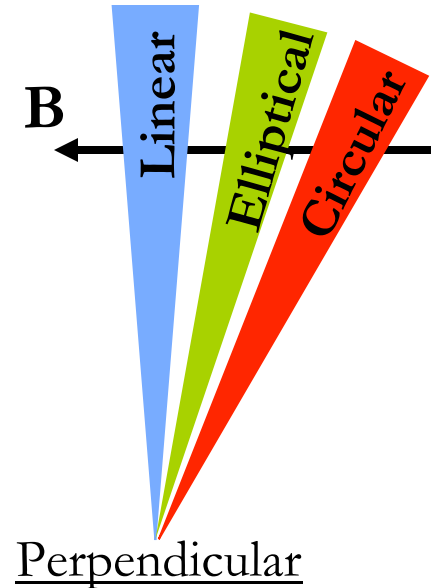
- Faraday “rotation” arises from the difference between the indexes of refraction corresponding to the **two characteristic modes** of a magnetoionic medium.
- Phase difference between these modes of propagation is proportional to the integrated electron density.
- Given Jicamarca’s 50 MHz frequency (the lowest of all ISRs), significant “rotation” from ionospheric signals is observed and from this absolute electron densities are obtained.

## Oblique

- **Quasi-longitudinal** approximation is valid for  $\alpha > 0.4^\circ$ .
- Two-circular polarizations are transmitted and received.
- Small “cross-talk” due to elliptical modes need to be corrected for  $\alpha < 2.0^\circ$  We do this correction by flipping every other pulse.

$$N_e(h) = K_f d\phi/dh$$

[from Farley, 1969]

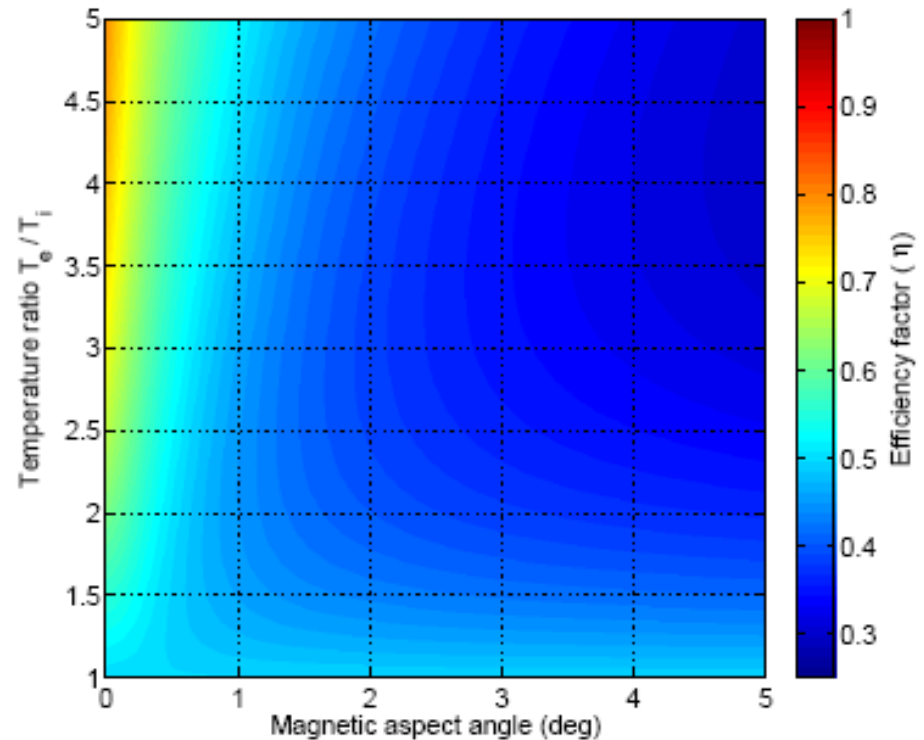


- **Quasi-transverse** approximation.
- A linear polarization is transmitted to excite both quasi-transverse modes (parallel and transverse to B).
- On reception two linear polarizations are received.
- Each linear polarization is a convolution of linear and highly elliptical modes due to the finite beam width.

[from Kudeki et al., 2003]

# Oblique vs. Perpendicular: Power measurements

- Electron density measurements can also be obtained from absolute ISR power measurements.
- However, the absolute ISR power is also highly dependent on the pointing angle with respect to  $\mathbf{B}$ . In addition, it is dependent on electron to ion temperature ratio ( $T_e/T_i$ ).



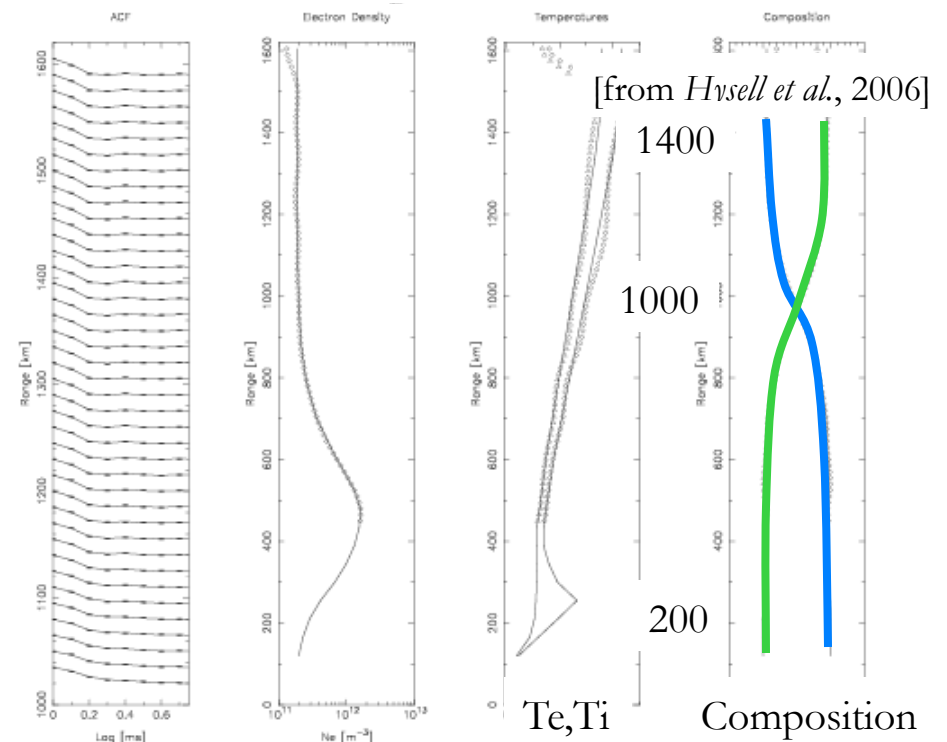
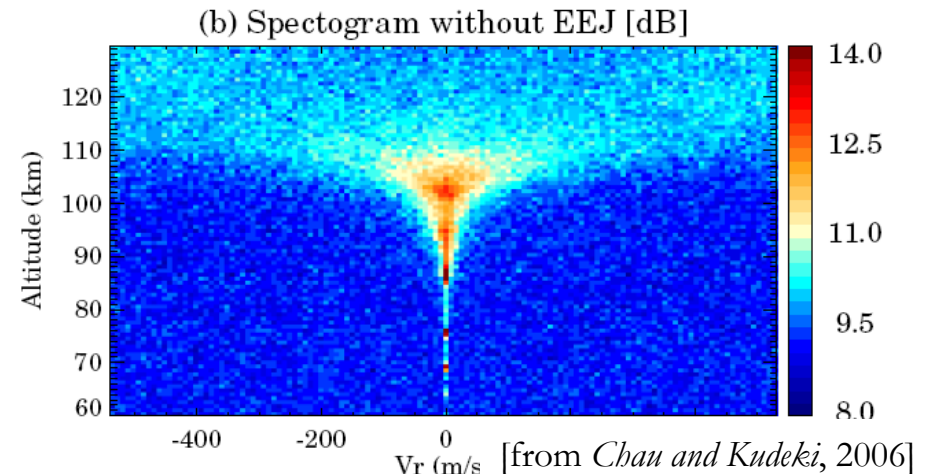
(a) [from Milla and Kudeki, 2006]

$$P_s(h) = K_s N_e(h) \sigma_{ne}(h) / h^2$$



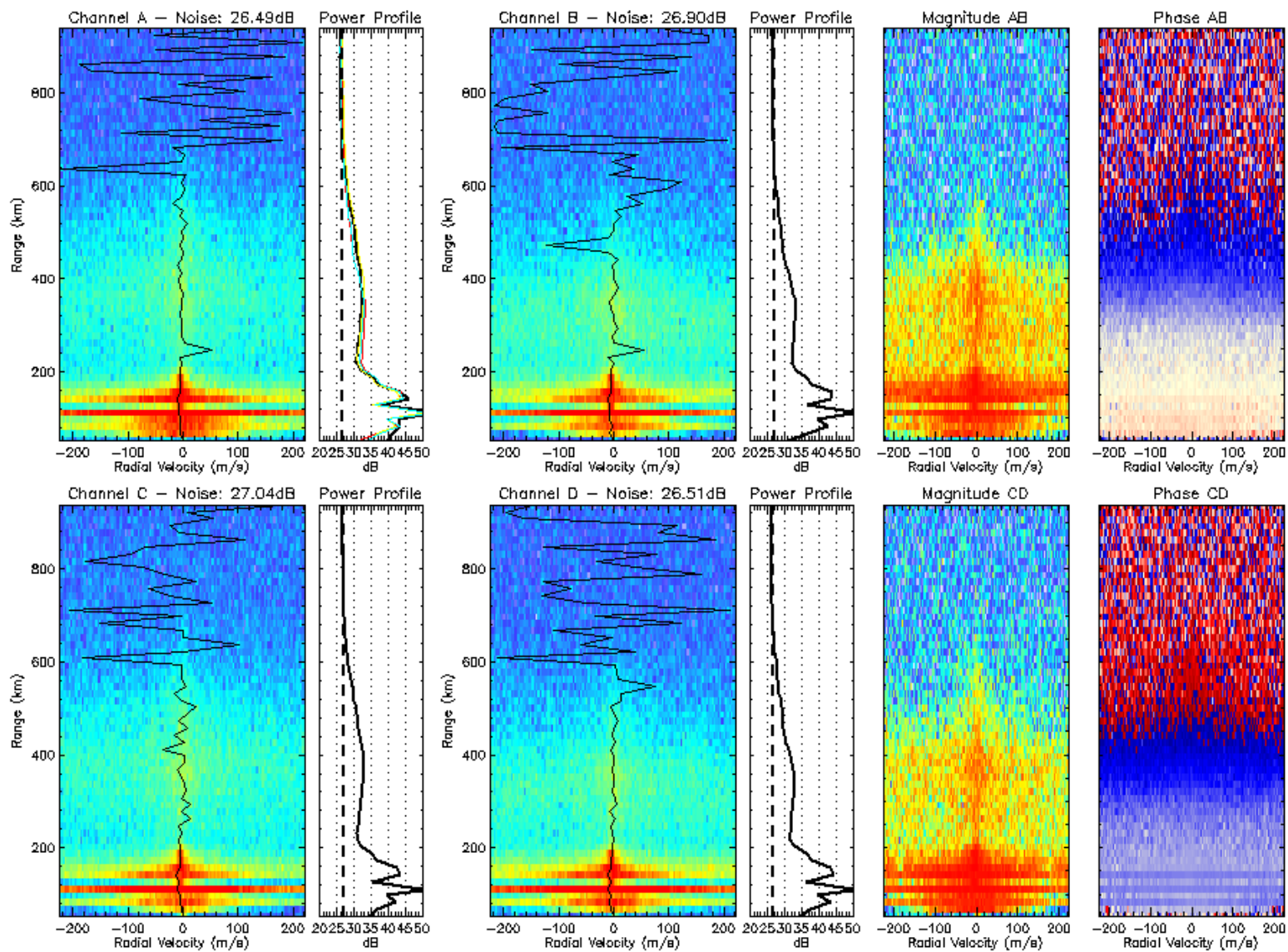
# Oblique vs. Perpendicular: Altitude issues

- Depending on the altitude of interest, collisions, temperatures and different ion composition, are the main parameters that changed the ISR spectrum shape. This is particularly true for Oblique measurements.
- Perpendicular spectra show *very little*, or none, *dependence on these parameters*.
- For example:
  - at *E* and *D* region altitudes, collisions with neutrals are important, the spectrum gets narrower as the altitude decreases.
  - At valley altitudes, in addition to typical  $[O^+]$ ,  $[NO^+]$  and  $[O_2^+]$  need to be considered [*Nicolls et al.*]
  - At topside altitudes, more ion species are present  $[O^+]$ ,  $[H^+]$  and  $[He^+]$ .



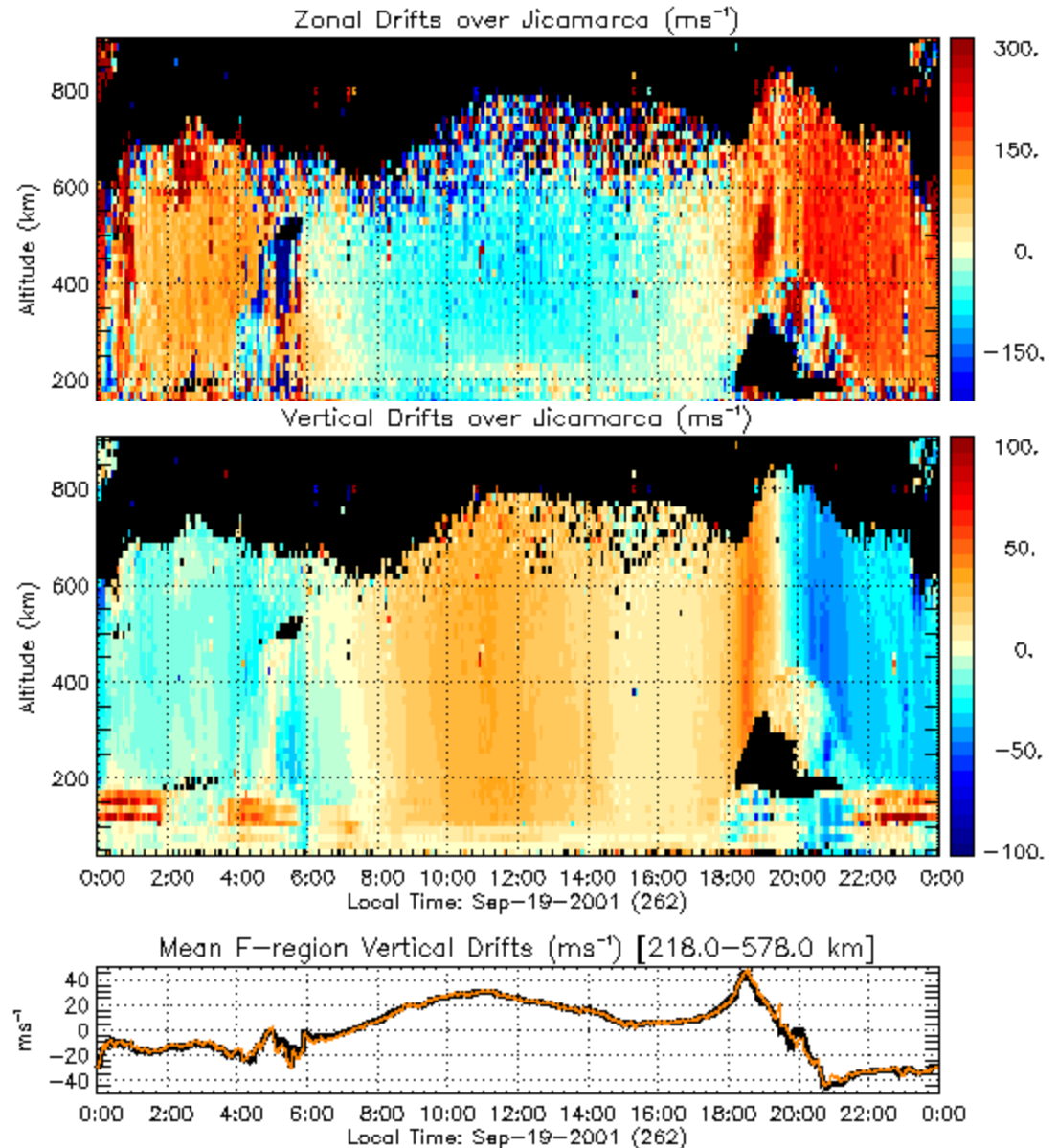
# Perpendicular ISR Examples (1): Pulse-to-pulse Spectral Analysis

National Cross Spectra – Date: 15-Mar-2004 14:31:20



# Perpendicular ISR Examples (2)

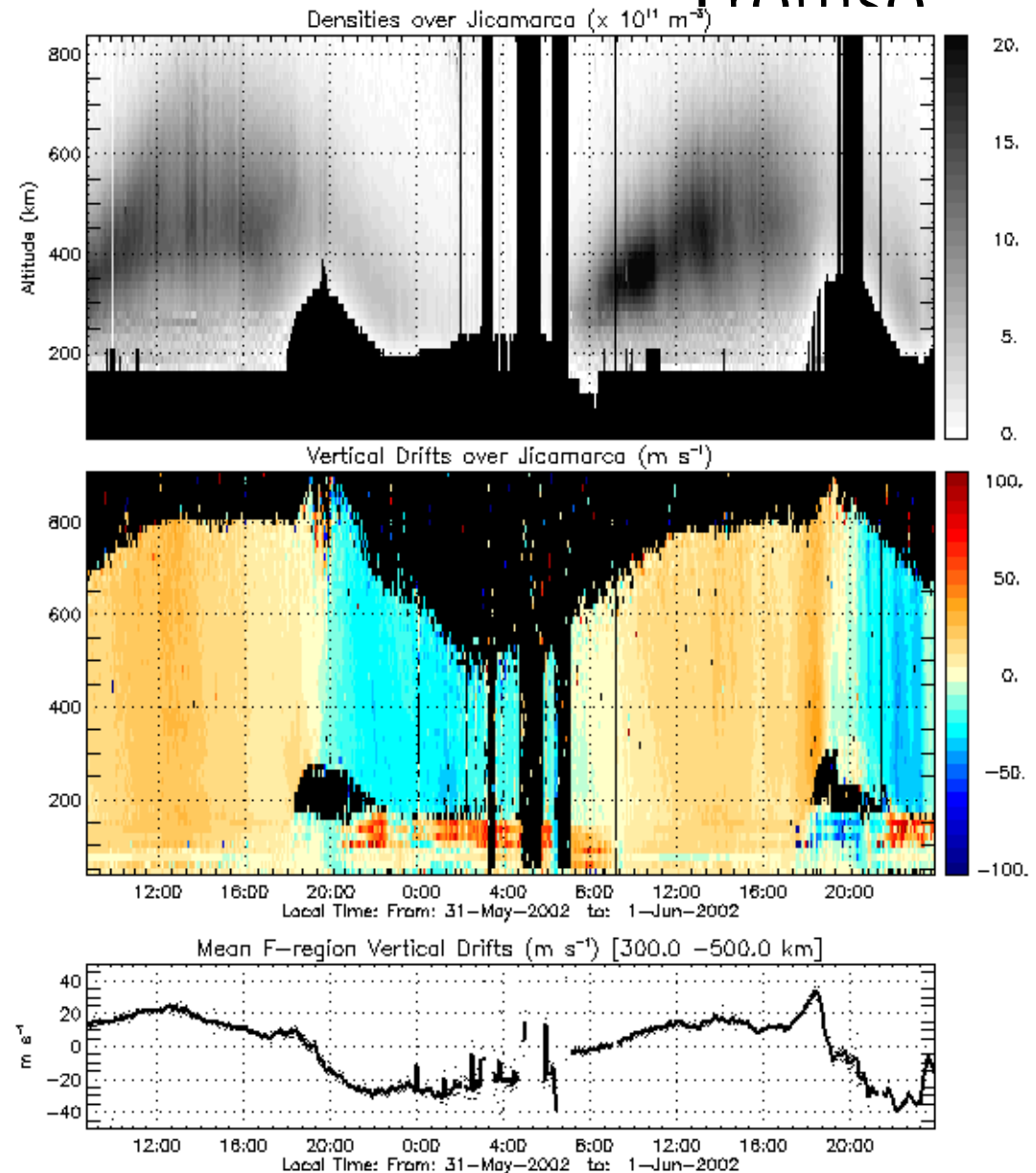
- Simultaneous measurements of vertical and zonal drifts, with 15 km and 5 min resolutions.
- JRO provides the most precise electric field measurements of the ionosphere.



# Perpendicular ISR Examples (3): Density Vertical Drift (DVD)

- Simultaneous measurements of [vertical drifts and densities](#).
- Absolute densities are obtained from the differential phase of the normal modes of propagation and extended in altitude from power.
- Recently a new mode have been tested, combining East-West beams with differential phase measurements (DEWD).

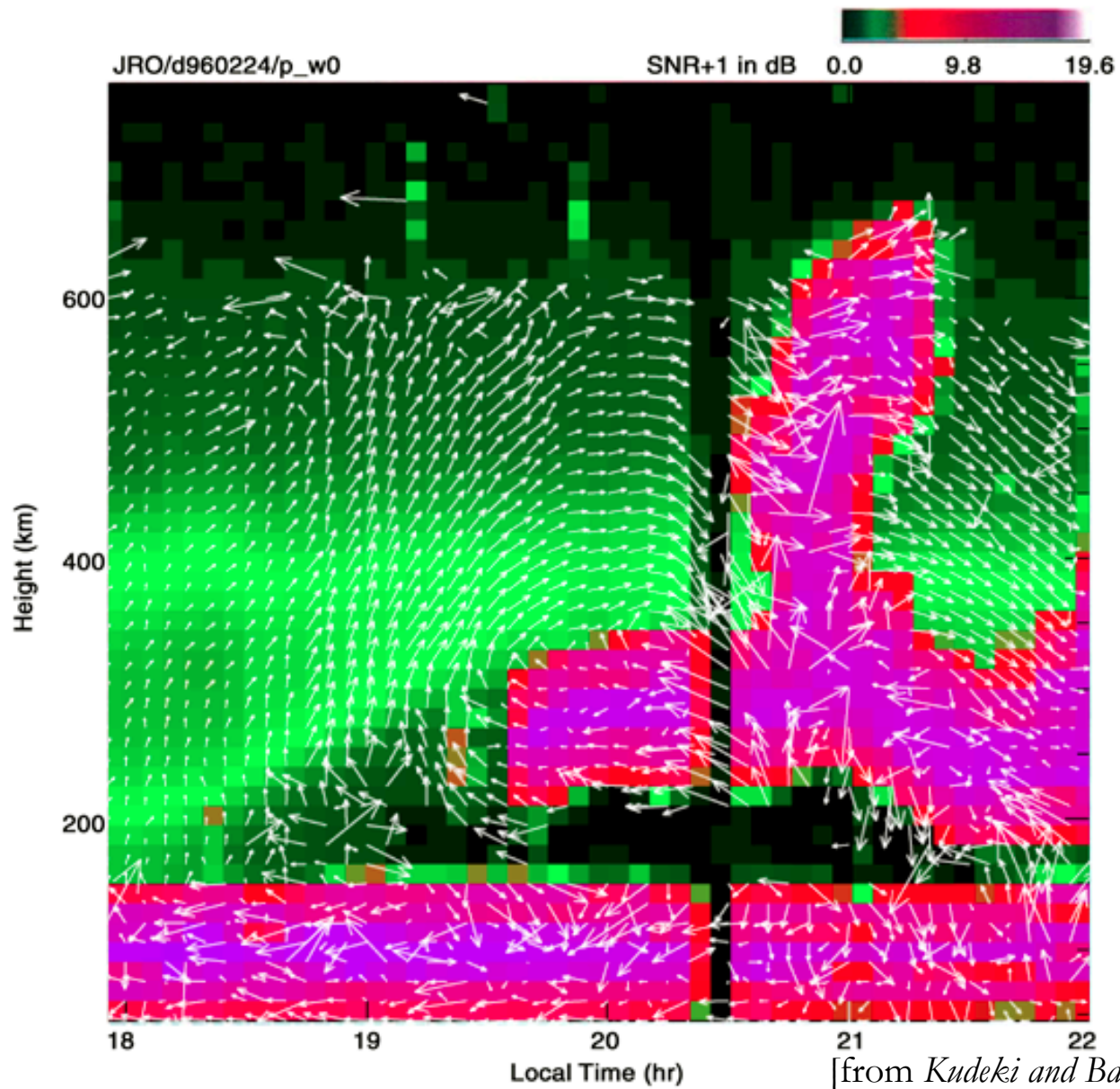
Tromsø



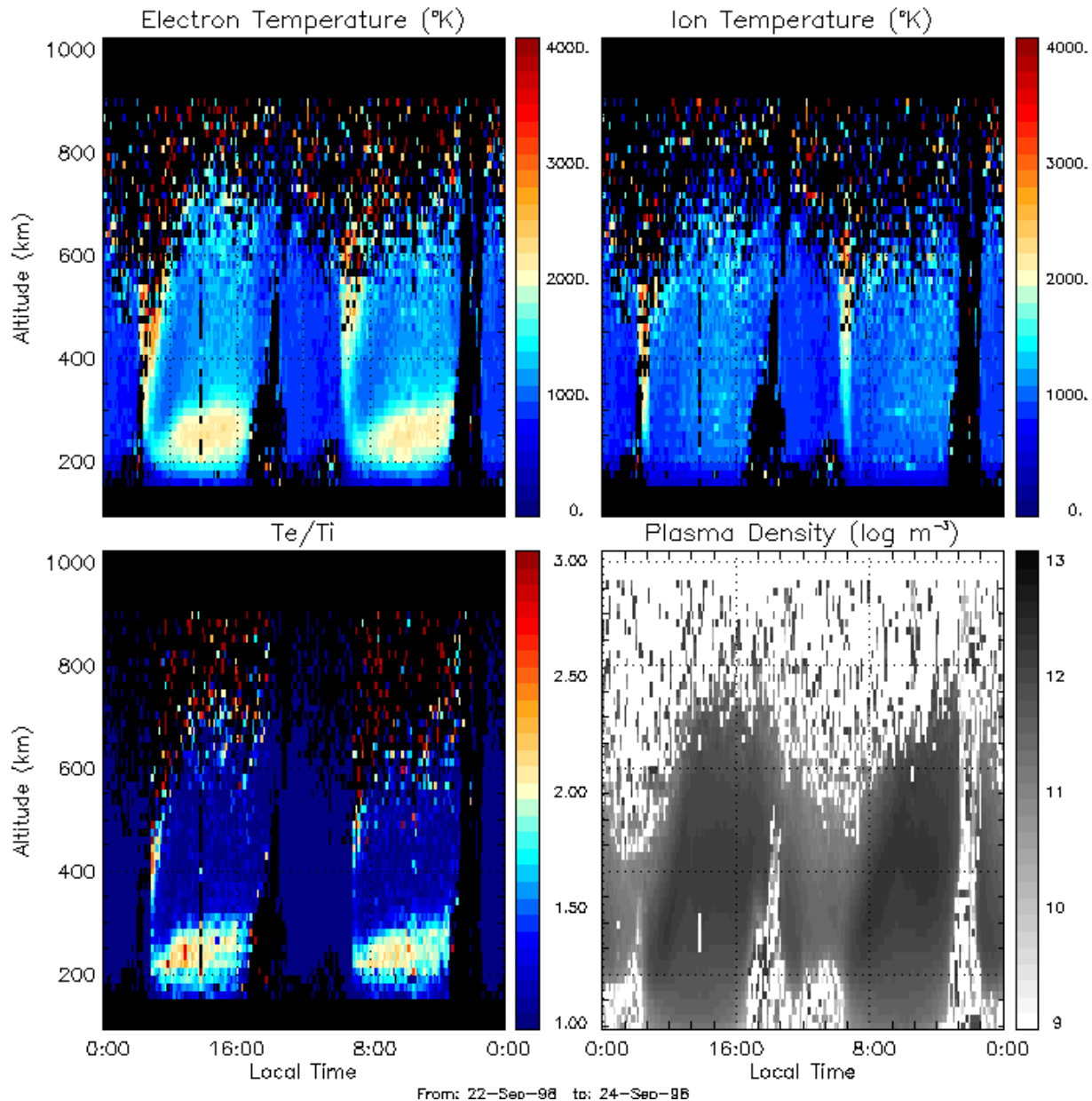
[Kudeki *et al.*,2003]

[Feng *et al.*, 2004]

# ESF Vortex



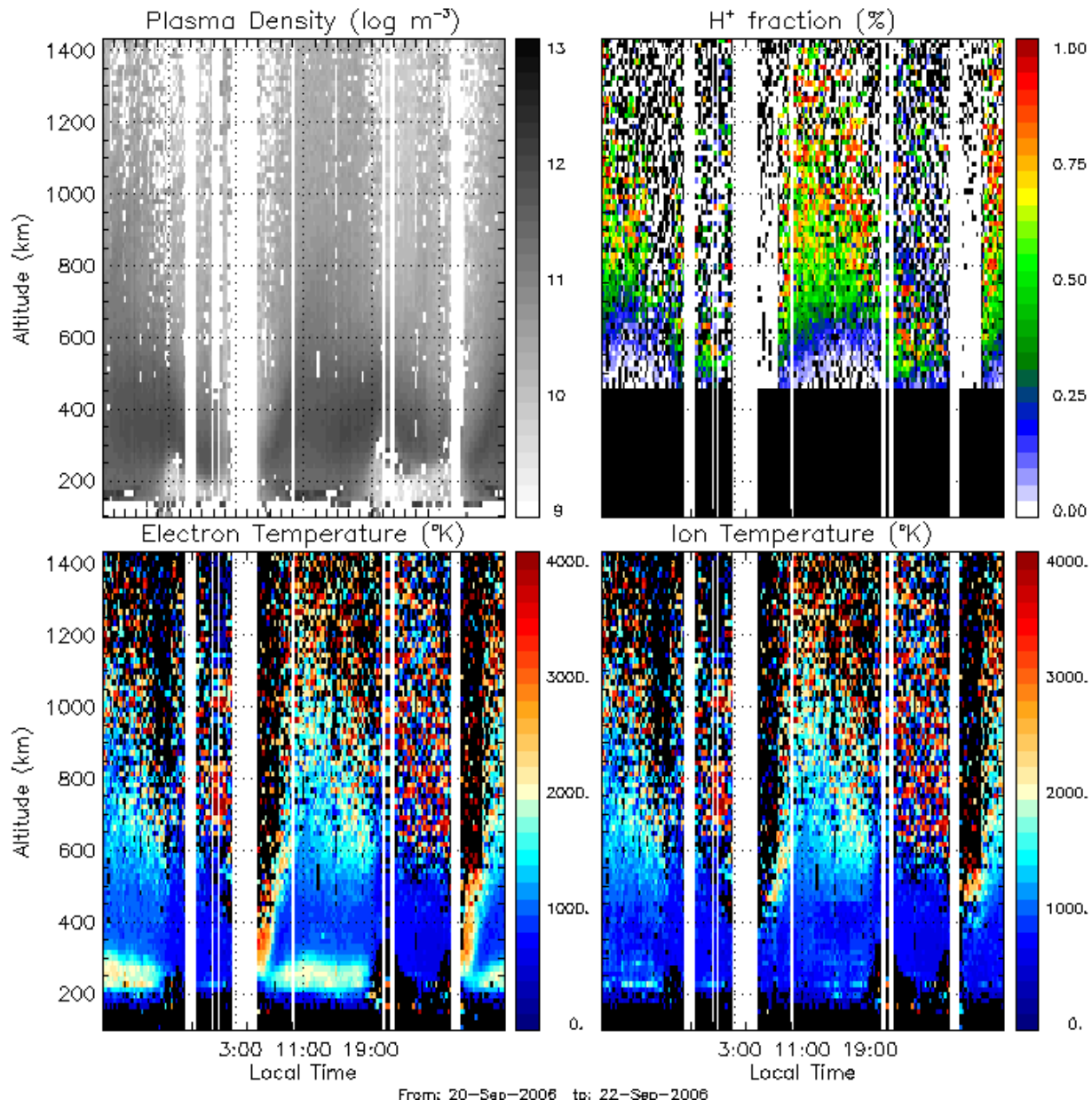
# Oblique ISR Examples (1): Faraday Double Pulse



- This is the traditional mode (since 1960's) to get:
  - densities from Faraday rotation and power.
  - Temperatures and Composition from ACFs obtained with Double Pulse sequences.
- This mode doesn't use the available duty cycle.
- Composition is hardly obtained.
- After *Sulzer and Gonzalez* [1999] work, temperatures estimates have been improved and the data reanalyzed since 1996.
- e.g., This mode is ideal for studying the Midnight temperature maximum (MTM).

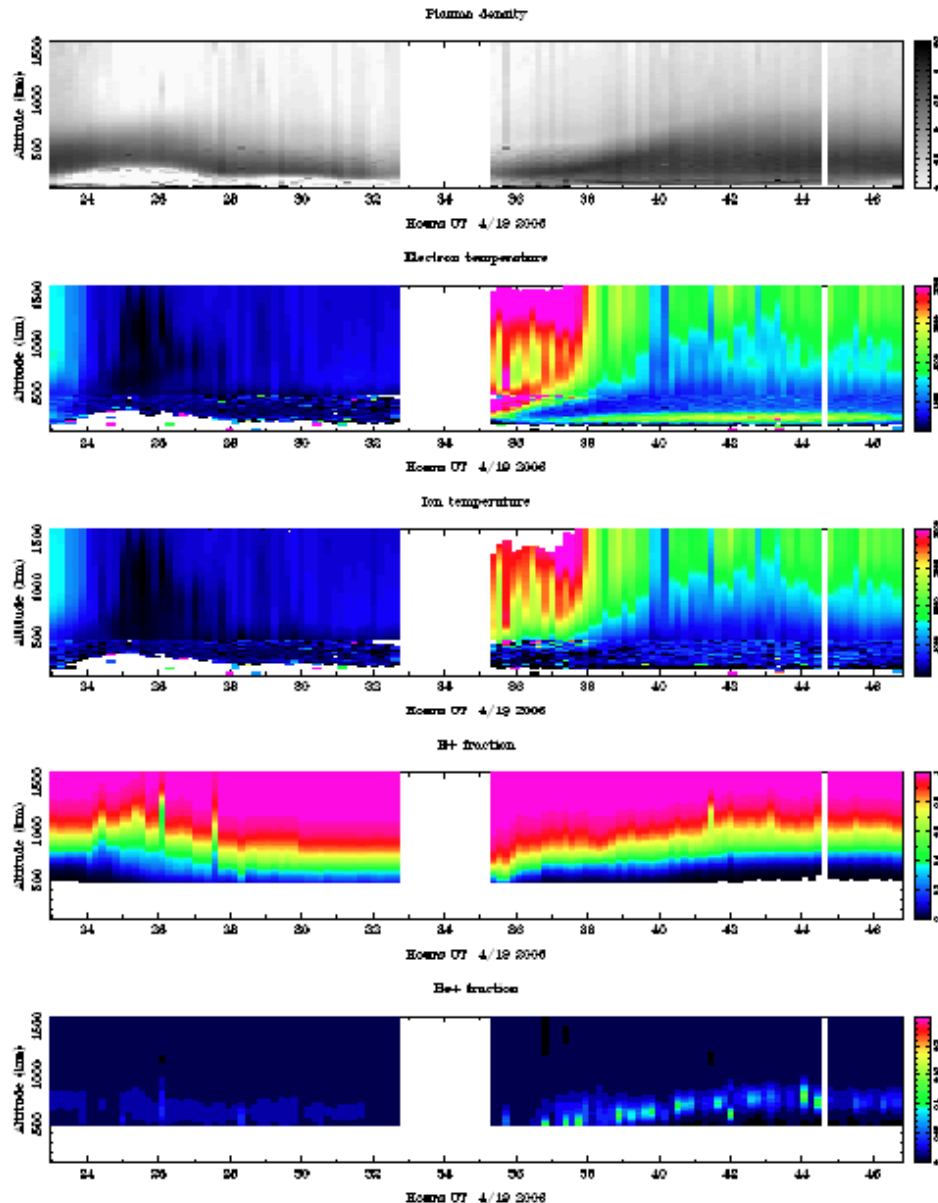
[Farley, 1969]

# Oblique ISR Examples (2): Hybrid 1 Faraday DP – Alternating codes



- This mode combines the Faraday DP mode with an alternating code mode [e.g., *Hysell, 2000*]. Allowing us to use the available duty cycle. It provides:
  - Density and temperatures below 500 km from Faraday Double Pulse
  - Density, temperatures and composition above 500 km.
- Altitudinal coverage it is better at the expense of bottom side temperature estimates with slightly less accuracy.
- Very good for removing satellite clutter from raw voltages.

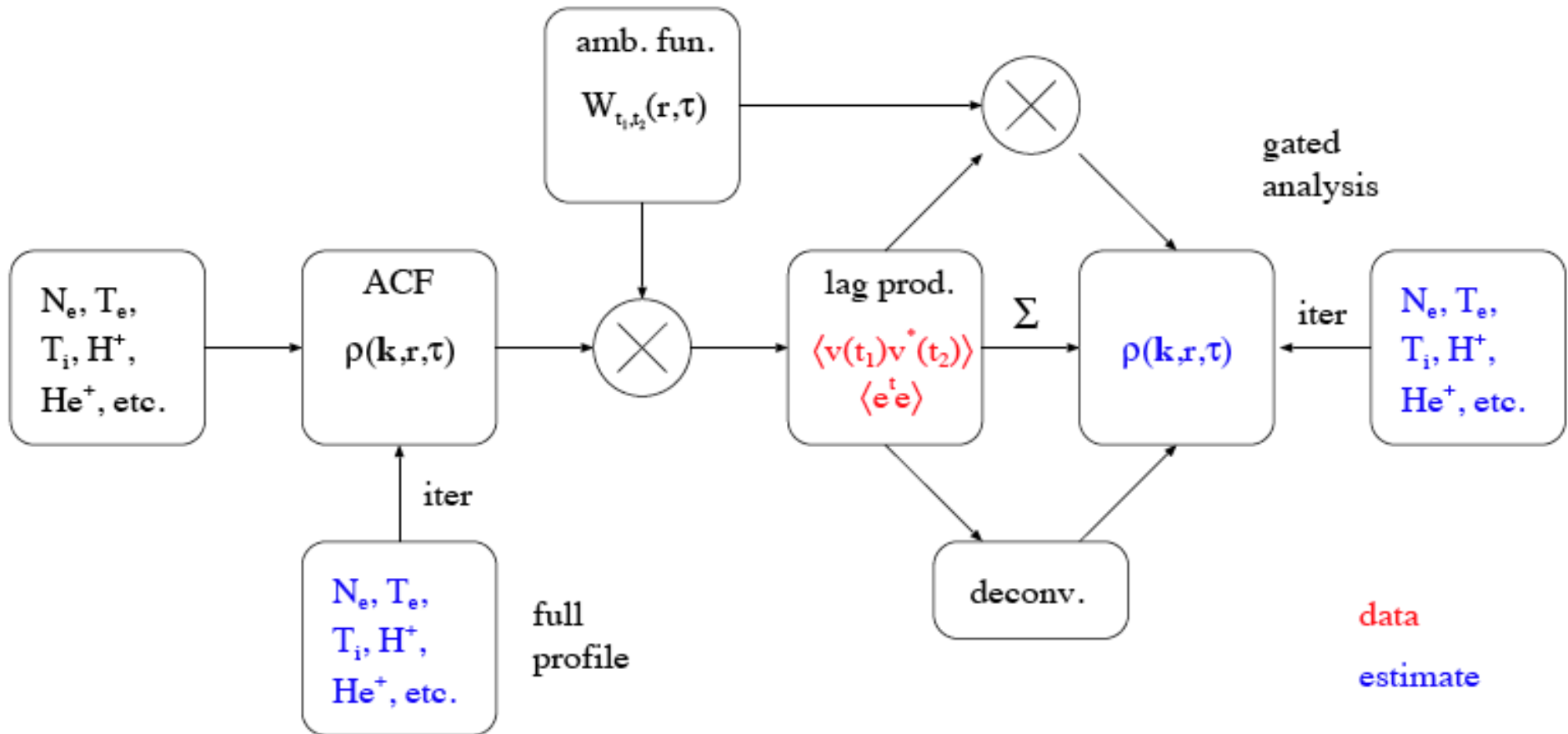
# Oblique ISR Examples (3): Hybrid 2 Faraday DP – Long Pulse – Full Profile



- This mode combines the Faraday DP mode with a long pulse mode, again allowing use of the available duty cycle.
- Altitudinal coverage is better than previous two modes at the expense of less altitudinal resolution in the topside.
- Similarly it provides:
  - Density and temperatures below 500 km
  - Density, temperatures and composition above 500 km.



# Full Profile: Block Diagram

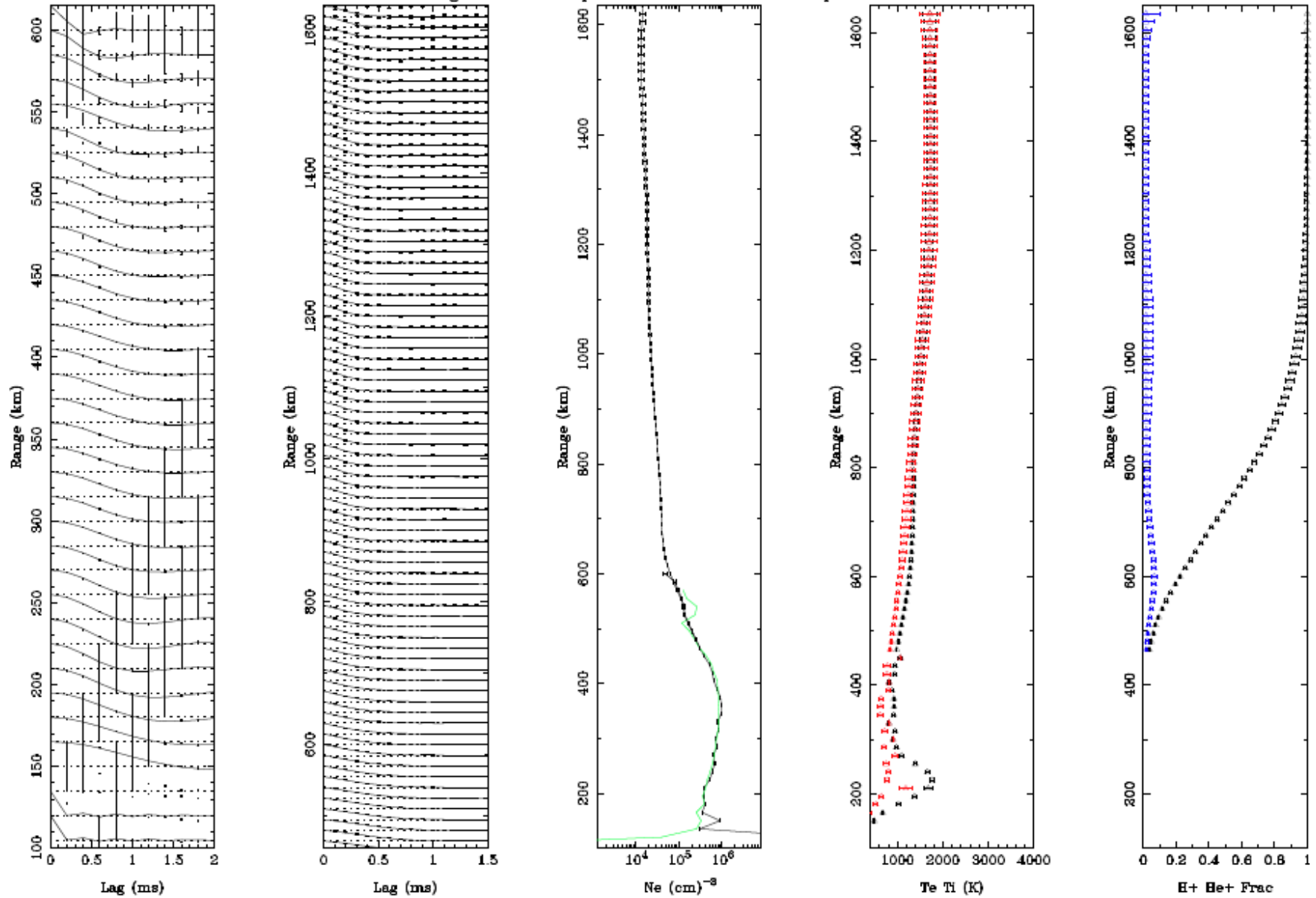


# Full profile: Methodology

- Problem is to find density, temperature, and composition of ionosphere consistent with lag-product measurements within confidence limits.
- Strategy is to solve the forward problem, iterate using nonlinear damped least squares methodology.
- Discretization: parameterize temperature, composition curves by finite number of points (20) and fill in using cubic spline interpolation.
- Problem is mixed determined (no exact solution, many statistically acceptable solutions) and poorly conditioned (solutions to noisy data problem typically very oscillatory).
- Regularize by introducing prior information to cost function (temperature ratio, temperature and [H<sup>+</sup>] roughness, positive compositions).

# Full-profile example (10 LT)

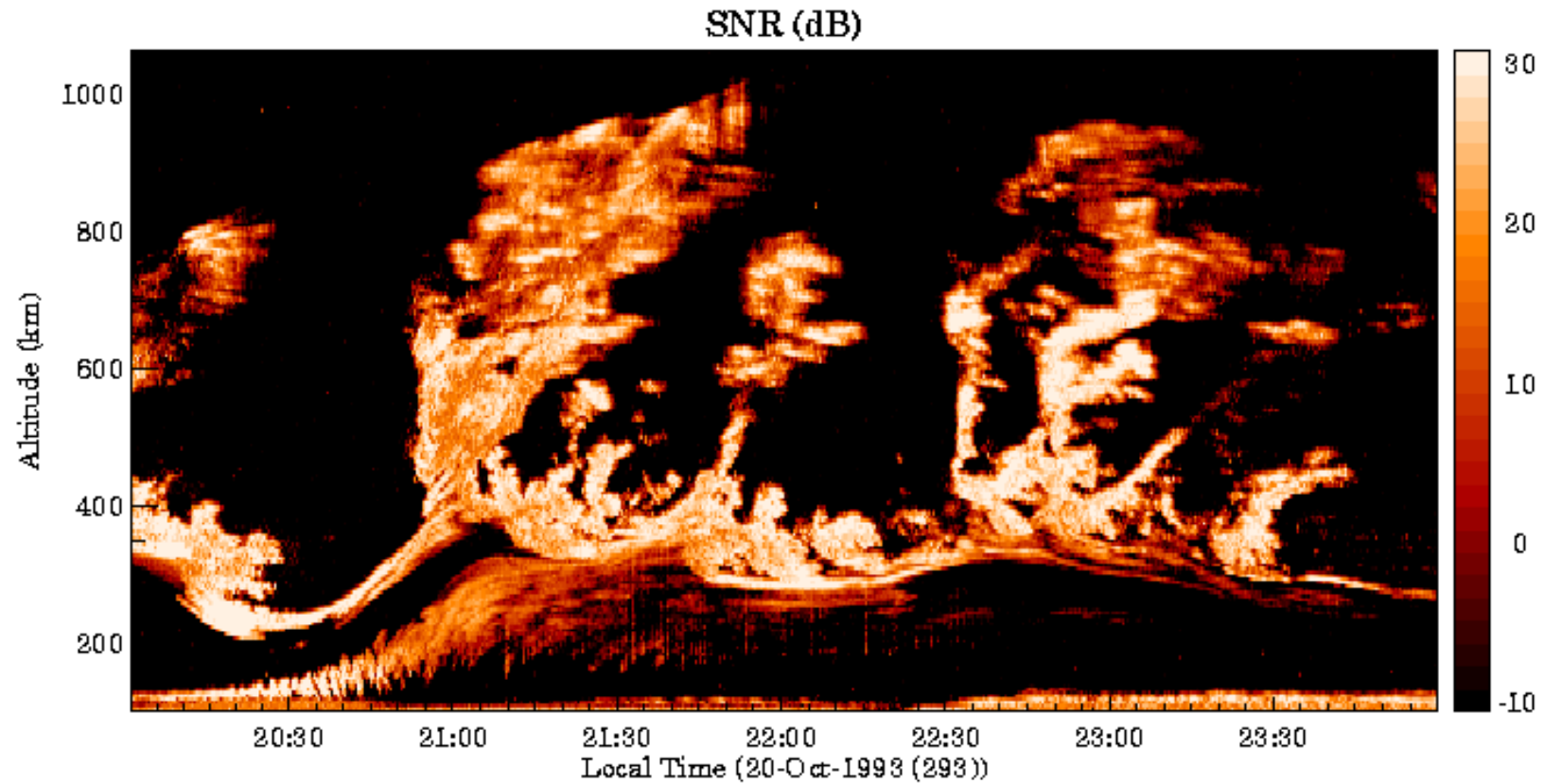
ROJ Long Pulse: Thu Apr 20 09:58:10 2006 Thu Apr 20 10:07:53 2006



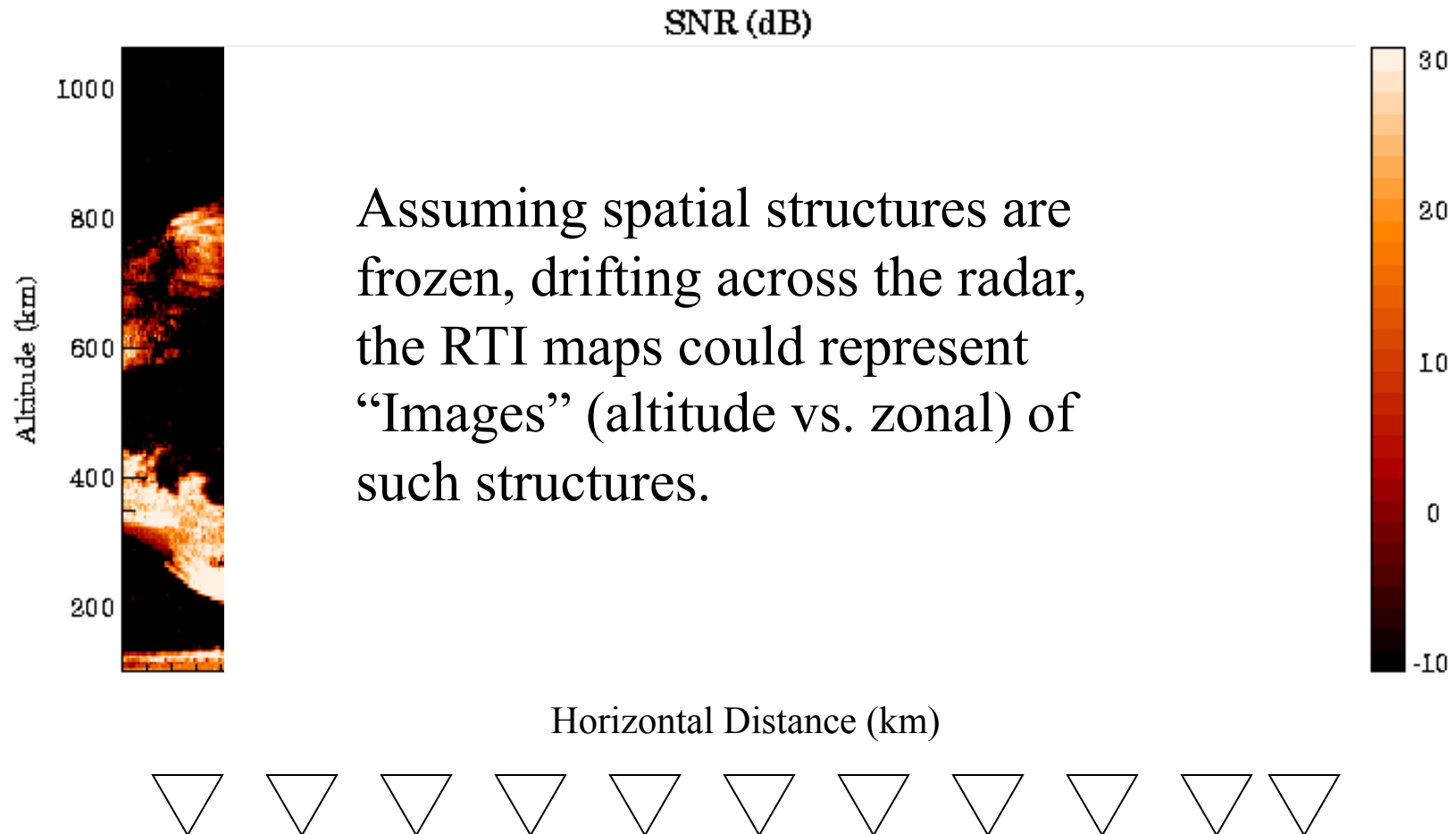
# Coherent Scatter Techniques

- MST technique
  - To measure **neutral winds** in the lower atmosphere
  - Improvements in hardware and software (rapid T/R switches, low power capabilities, coherent integrations, pulse compression, pulse-to-pulse analysis).
- Radar Interferometry
  - It uses two or three antennas depending if the target to study is field-aligned or not.
  - To measure **target location and angular width** (aspect sensitivity). From changes of location as function of time, we can infer horizontal drifts.
  - It has been applied to: EEJ, ESF, meteors, PMSE, sporadic E, lightning, ...

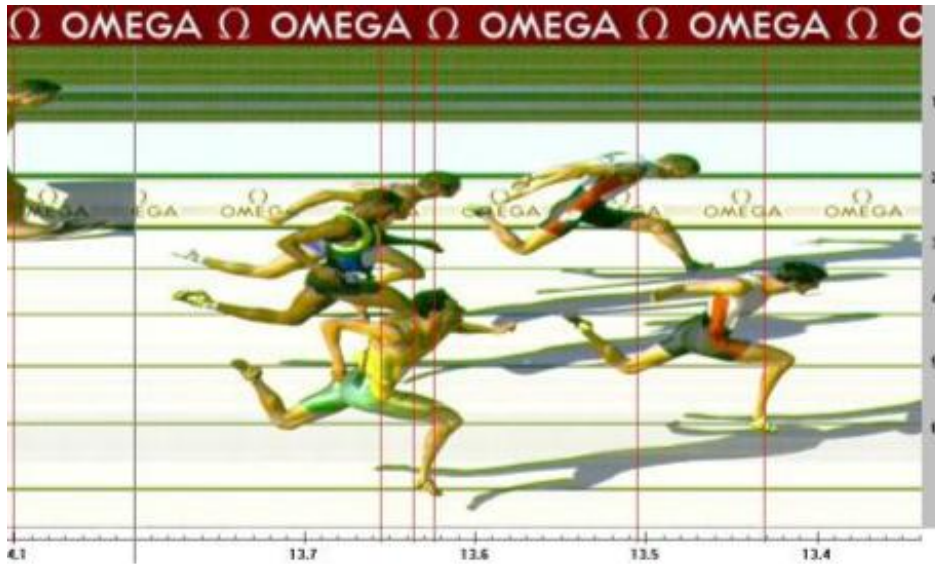
# Range-Time Intensity (RTI) maps



# Range-Time Intensity plots as “Images”: Slit camera interpretation



# Slit-camera Analogy and Problems



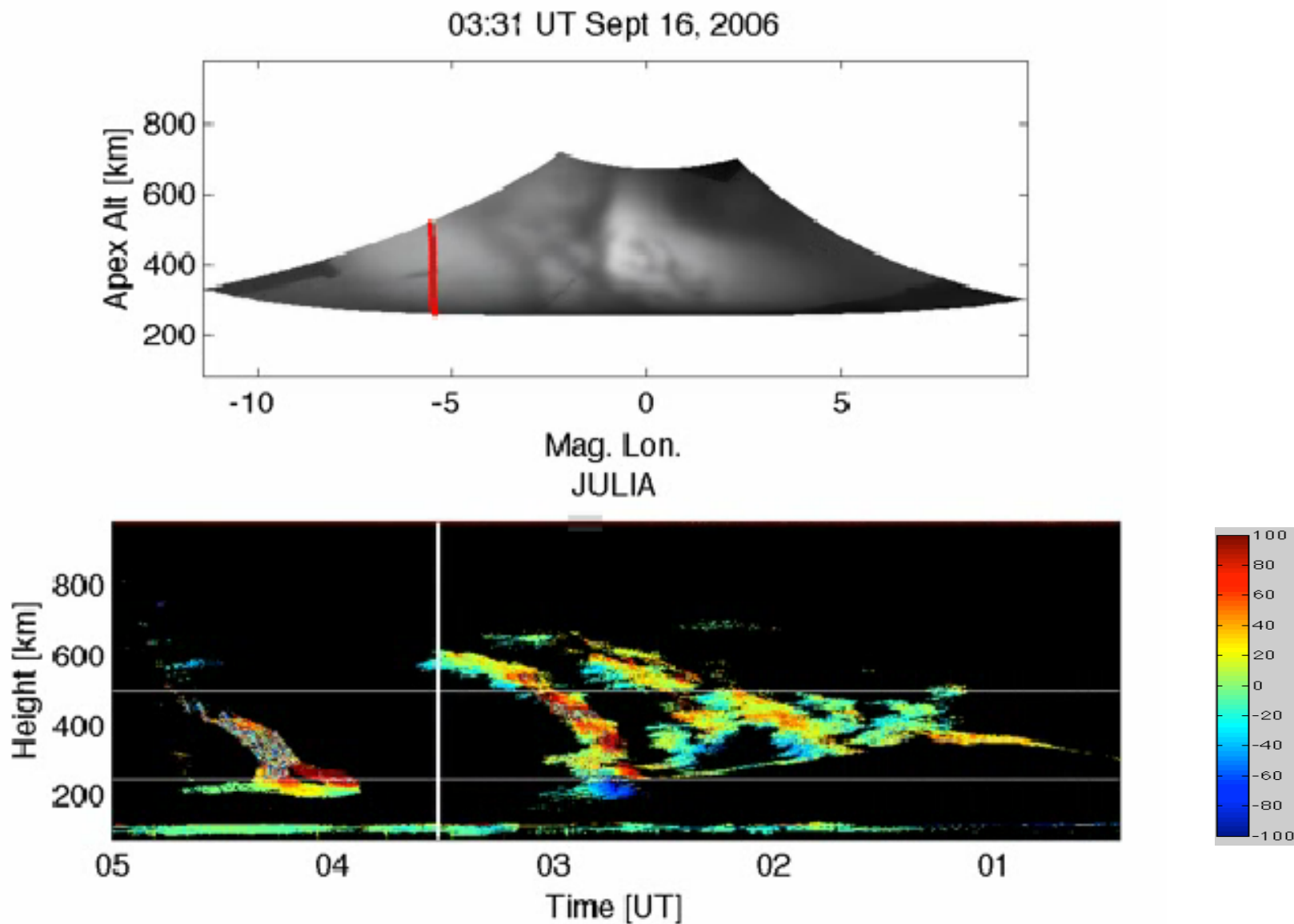
- In some applications like **races** it is useful
- In many other applications it provides **misleading results**:
  - **Slow** structures are **stretch out**
  - **Fast-moving** structures are **compressed**.
  - In general, it is **difficult to discriminate space-time** features.



used with permission ©Tom Dahlin



# Radar “Slit” Camera vs. Optical “Airglow” Camera

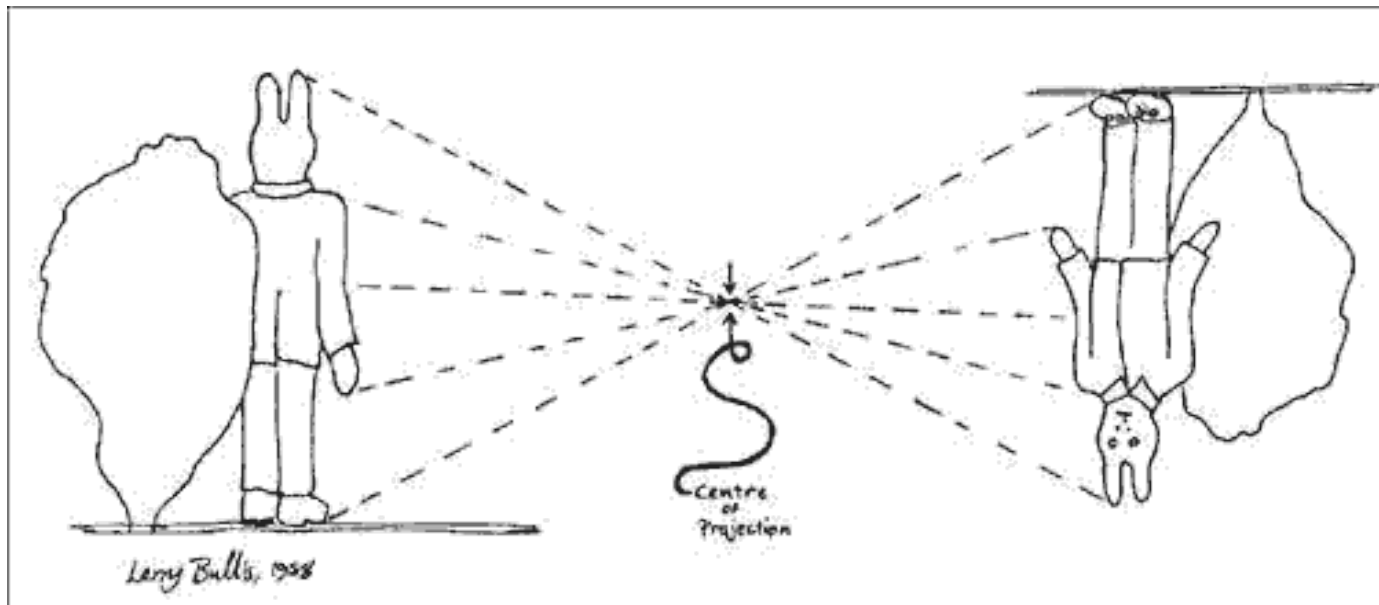


[Courtesy of J. Makela]

- In atmospheric applications, besides the problems of discriminating space-time features of moving structures across the beam, **radar have finite beam widths** and “irregularities” can **appear, grow, dissipate, disappear**, inside the beam!

# Analogy with an Optical Camera (1)

## The pin-hole camera

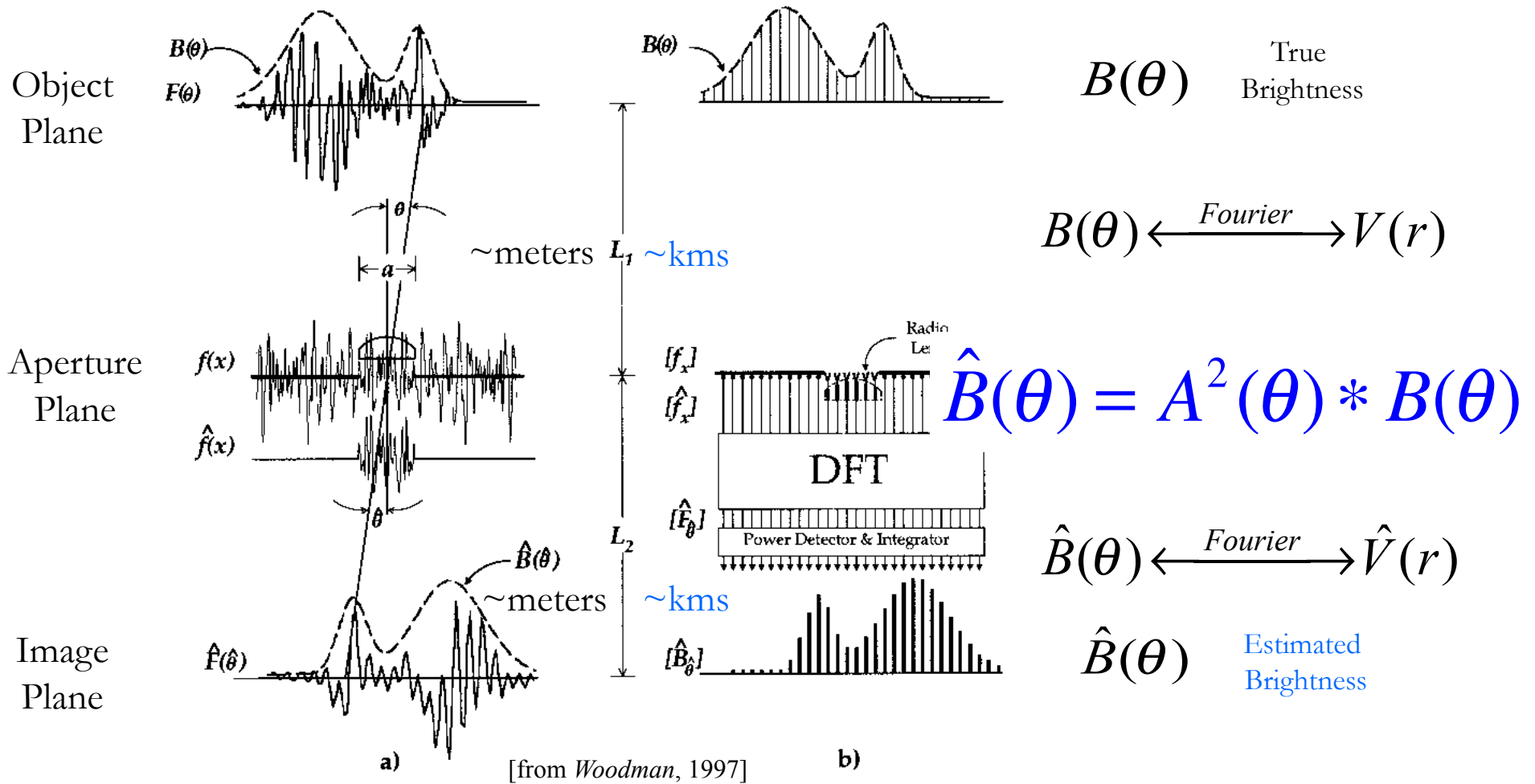


Object          Aperture          Image  
                        └──────────┘          └──────────┘  
                        Far field          Far field

Optical wavelength  $\sim 500 \text{ nm}$

# Analogy with an Optical Camera (2)

## Fourier Operations



- In radio astronomy: Camera without “flash”
- In radar imaging: Camera with “flash”

# Aperture Synthesis Radar Problem

Given:

$$\hat{V} = \mathbf{a} * \mathbf{a}^* \times \mathbf{M} \mathbf{B}$$

- find  $\hat{B}$  that best agrees with  $B$ .
- where  $\mathbf{a}$  can be an arbitrary complex vector, e.g.,
  - **Truncation** (like windowing in spectral analysis)
  - **Gaps**
  - **Focusing** (needed for near-field applications)

# Ionospheric Radar Imaging: Peculiarities of the target

---

- Spatially **3D**.
- Changes with time in **two different time scales**:
  - short, that defines the “**color**” (frequency spectrum)
  - long, **non-stationary scale**.
- It is **non stationary and non homogeneous**, representing a stochastic process of 4 dimensions.
- Normally, once has a **small number of independent samples to average**.
- Given these characteristics, how do we solve the problem?
  - Shall we do a **simple Fourier inversion**?
  - Are there any **constraints or a priori information** that we could consider? If so, how?

# Aperture Synthesis Radar Imaging Algorithms

---

- **Beamforming or Non-parametric Methods.** These methods do not make any assumption on the covariance structure of the data.
  - Fourier-based
  - Capon or Linear Constraint Minimum variance beam forming
- **Parametric methods.** These methods usually make use of a known functional form  $B$ , error covariances, or other *a priori* information.
  - **Maximum Entropy** [e.g., *Hysell and Woodman, 1997; Hysell and Chau, 2006*]
  - Model fitting. For example, a Brightness modeled by  $N$  anisotropic Gaussian blobs [e.g., *Chau and Woodman, 2001*]
  - Single value decomposition (SVD)+Multiple Signal Classification (MUSIC) (developed for the localization of discrete scatterers)
- Other
  - CLEAN, RELAX (Super CLEAN) (from Radio Astronomy)
  - APES, variants of Capon, etc. (from high resolution spectral analysis)

# Maximum Entropy Method (MaxEnt)

- Model-based inversion process where  $B(\theta, \omega)$  is a positive definite function constrained to be consistent with the data ( $\hat{V}(\mathbf{r}, \omega)$ ) to a specified accuracy (based on self and statistical errors).

$$\hat{B}(\theta, \omega) \propto \frac{e^{-\lambda_j h_j(\theta)}}{\int e^{-\lambda_j h_j(\theta)} d\theta}$$

$\lambda_j$  : Lagrange multiplier, one for each visibility measurement

$h_j(\theta)$  : point-spread function of the interferometer

denominator: like the Gibbs canonical partition function

- By maximizing the Shannon Entropy ( $S \propto B_j \log B_j$ ), including the constraints, one gets a well-posed set of **N simultaneous non-linear equations for N Lagrange multipliers**.
- The estimation problem is reduced to solve numerically the set of non-linear equations (e.g., **Powell method**).
- It is a method that “**deconvolves**” via regularization.

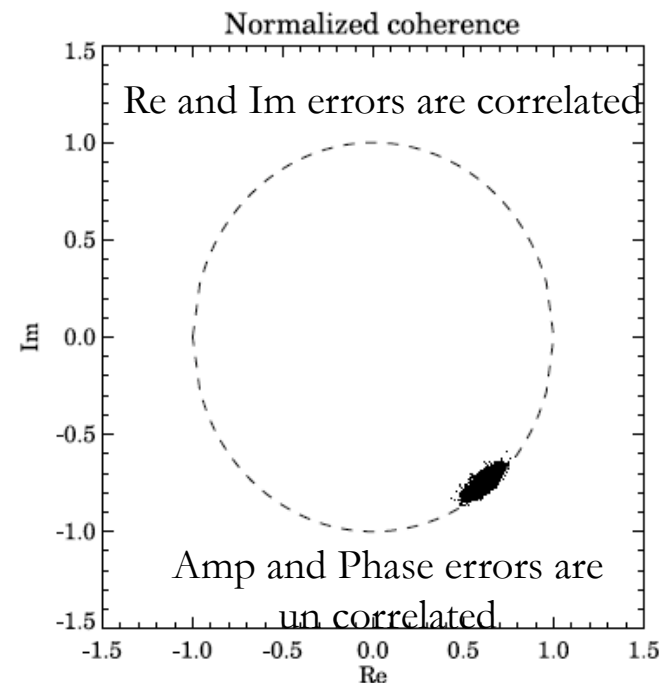


# MaxEnt: Recent Improvements

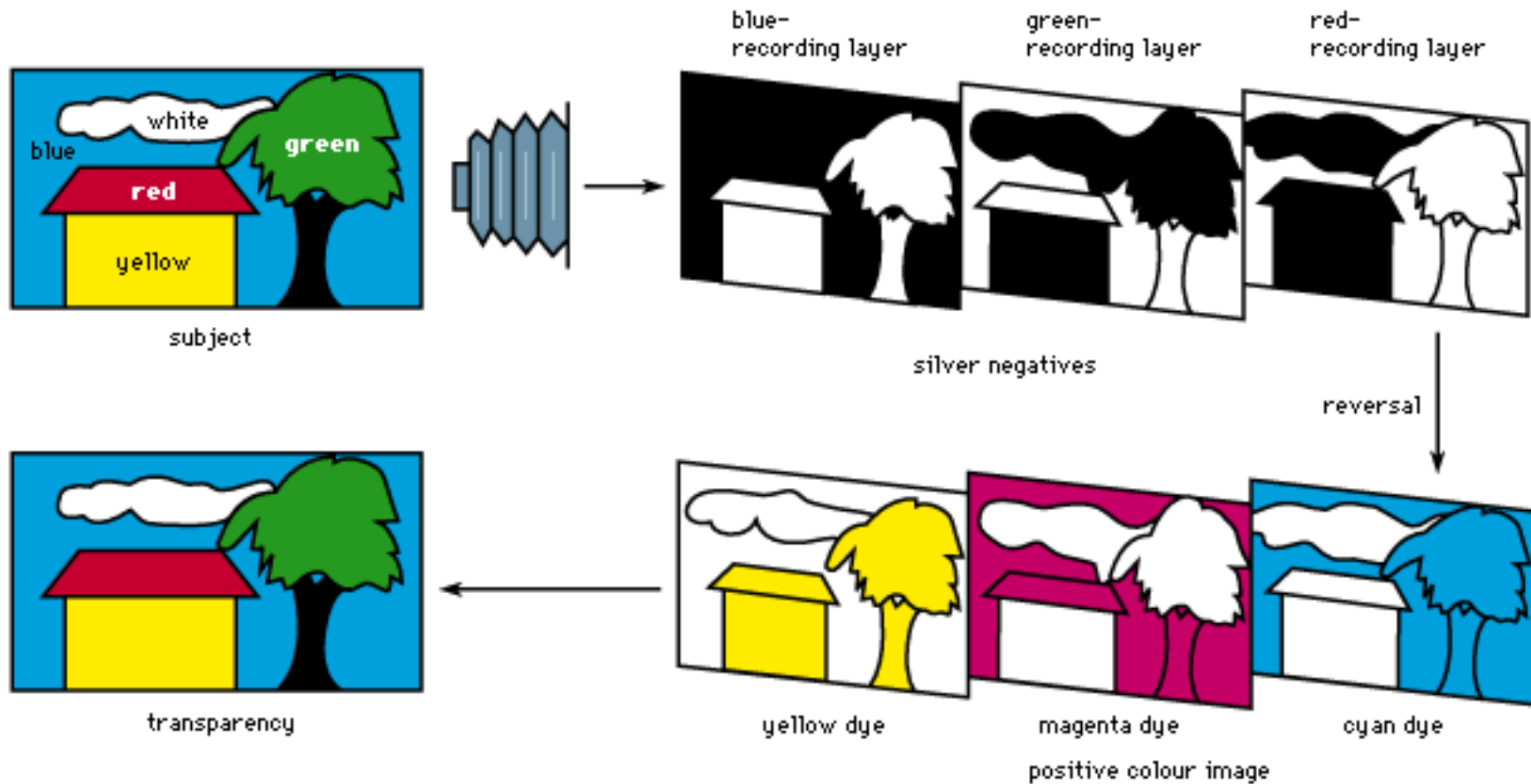
- Use of a priori information,
  - **Transmitting beam pattern** (avoids estimating the image in a region that is not illuminated)
  - **Different receiver beam patterns** (allows the use of different receiver antenna sizes).
- **Full-covariance matrix.** Errors between Re and Im components and between baselines **are no longer assumed to be uncorrelated.**
  - Data and model need to be diagonalized.

[from *Hysell and Chau, 2006*]

$$\delta^2 = \frac{1}{m} \left( \frac{S+N}{S} \right)^2 \left[ \begin{aligned} &\rho_{13}\rho_{24}^* \\ &- \frac{1}{2} \left( \frac{S+N}{S} \right) \rho_{34}^* (\rho_{13}\rho_{23}^* + \rho_{14}\rho_{24}^*) \\ &- \frac{1}{2} \left( \frac{S+N}{S} \right) \rho_{12} (\rho_{13}\rho_{14}^* + \rho_{23}\rho_{24}^*) \\ &+ \frac{1}{4} \left( \frac{S+N}{S} \right)^2 \rho_{12}\rho_{34}^* (|\rho_{13}|^2 + |\rho_{14}|^2 \\ &+ |\rho_{23}|^2 + |\rho_{24}|^2) \end{aligned} \right]$$



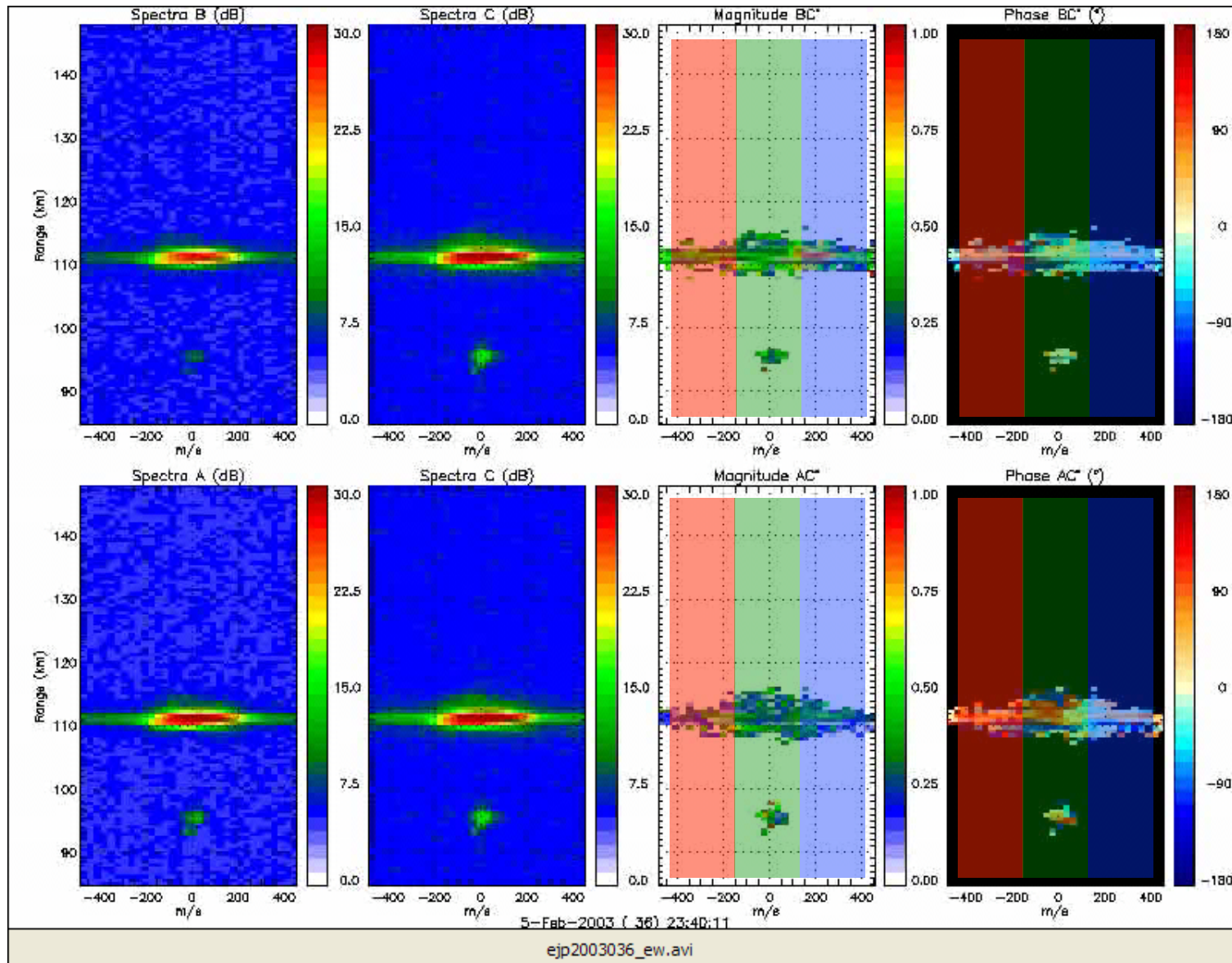
# How to display radar images (1)



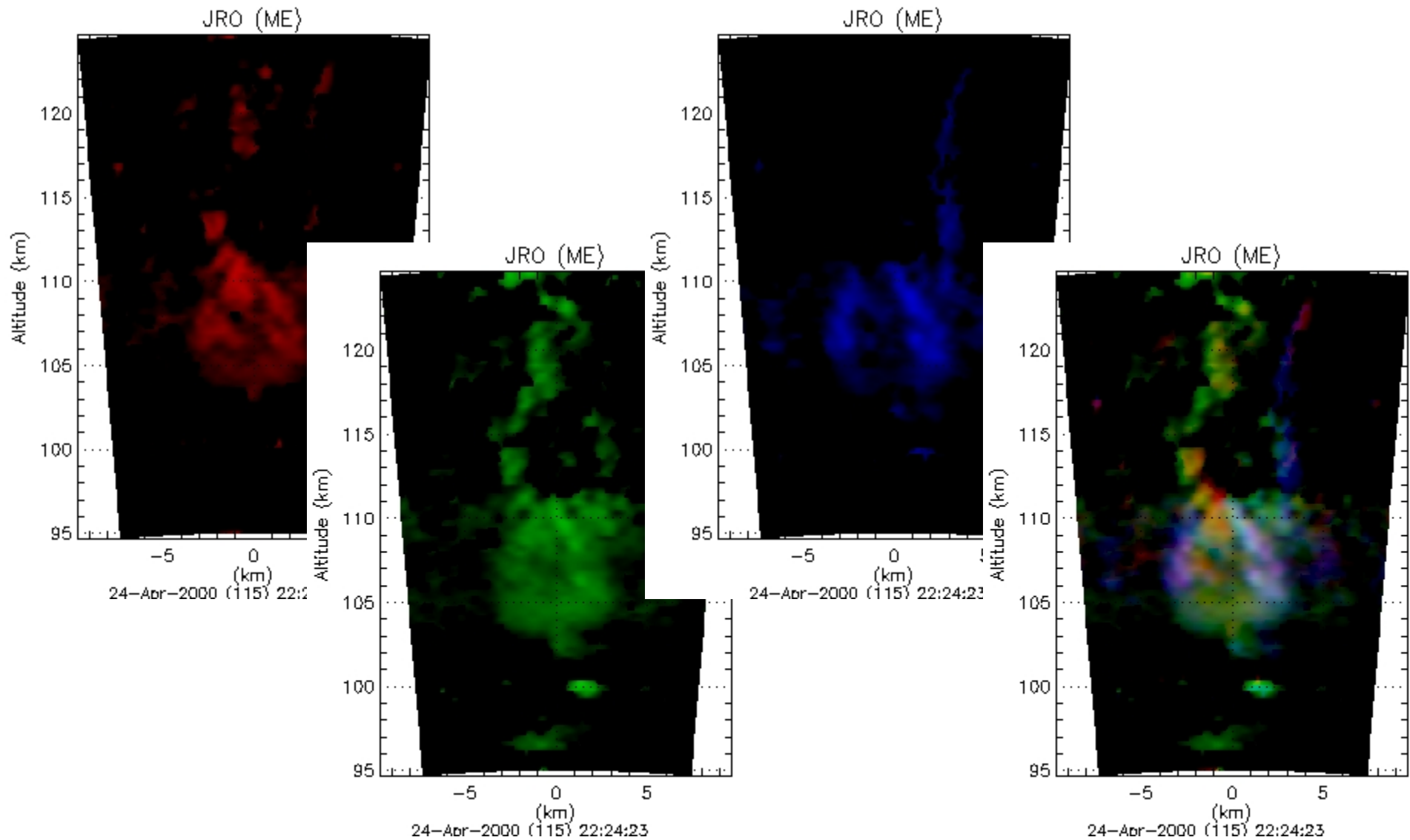
# How to display radar images (2)

- Recall that an angular image is obtained as a function of **range and Doppler frequency**, every integration time.
- To extend the optical analogy further, images are **color-coded** based on **Doppler information**.
- **8-bit images** are obtained for each color: Red (R), Green (G), and Blue (B).
- The **SNR** of each Doppler interval is represented by the **intensity** of the respective color (0-255).
- A **24-bit true color image** is obtained by combining the R, G, and B images.
- **Movies** are obtained by joining all images into standard movie formats (e.g., GIF animation, MPEG, AVI), resulting into a Radio Movie Camera!
- **Lightness**: SNR, **Saturation**: Spectral width, **Hue**: Doppler

# How to display radar images (3)



# How to display radar images (4)



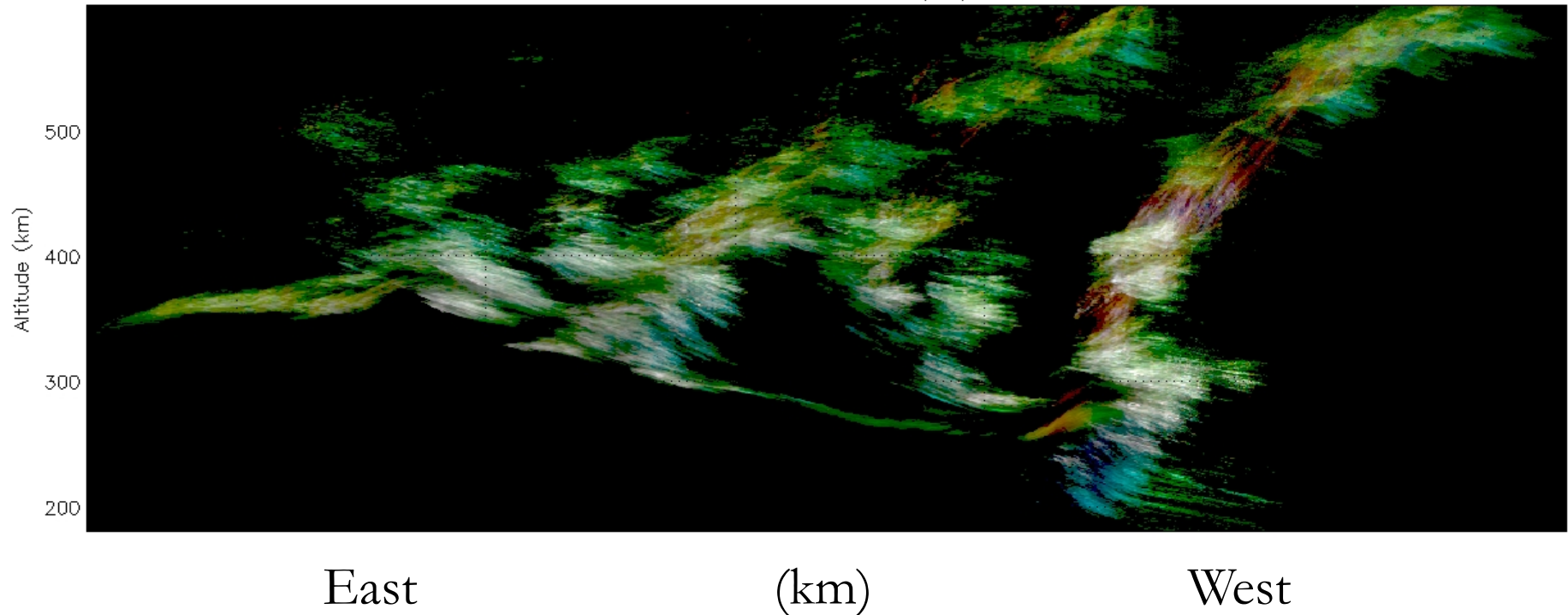
# Latest examples of ESF Radar Imaging at Jicamarca

- Tx using two quarter antennas, phased to have a **wide beam** in the EW direction.
- **8 digital Rx** channels for “imaging”. A pair of modules can be used for single baseline interferometry.
- **Automated phase calibration procedure**, using beacon on the hill (relative). Absolute calibration from Hydra, meteor-heads, ...
- **16-32 “colors”** (FFT points)
- ESF images are obtained every 2 seconds and 300 m. The **angular resolution is  $\sim 0.1-0.2^\circ$**



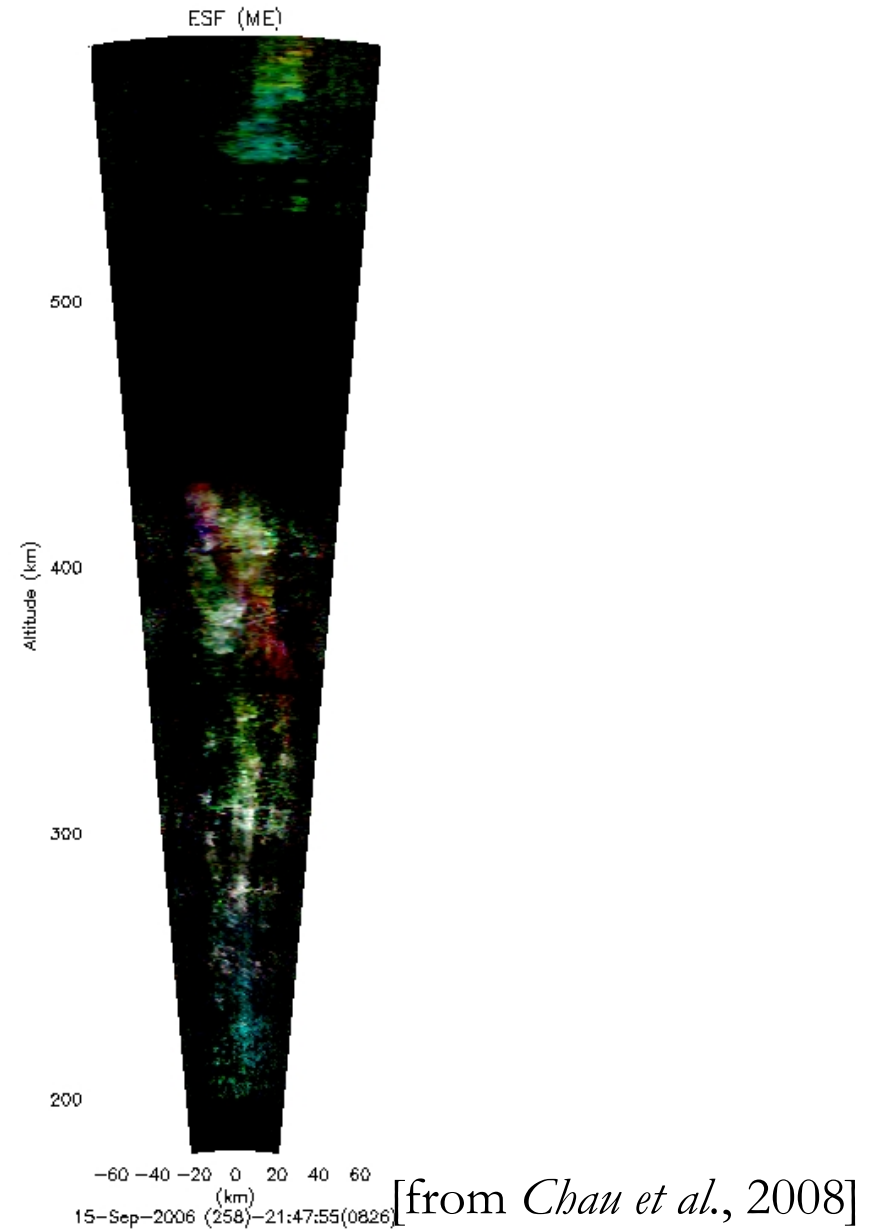
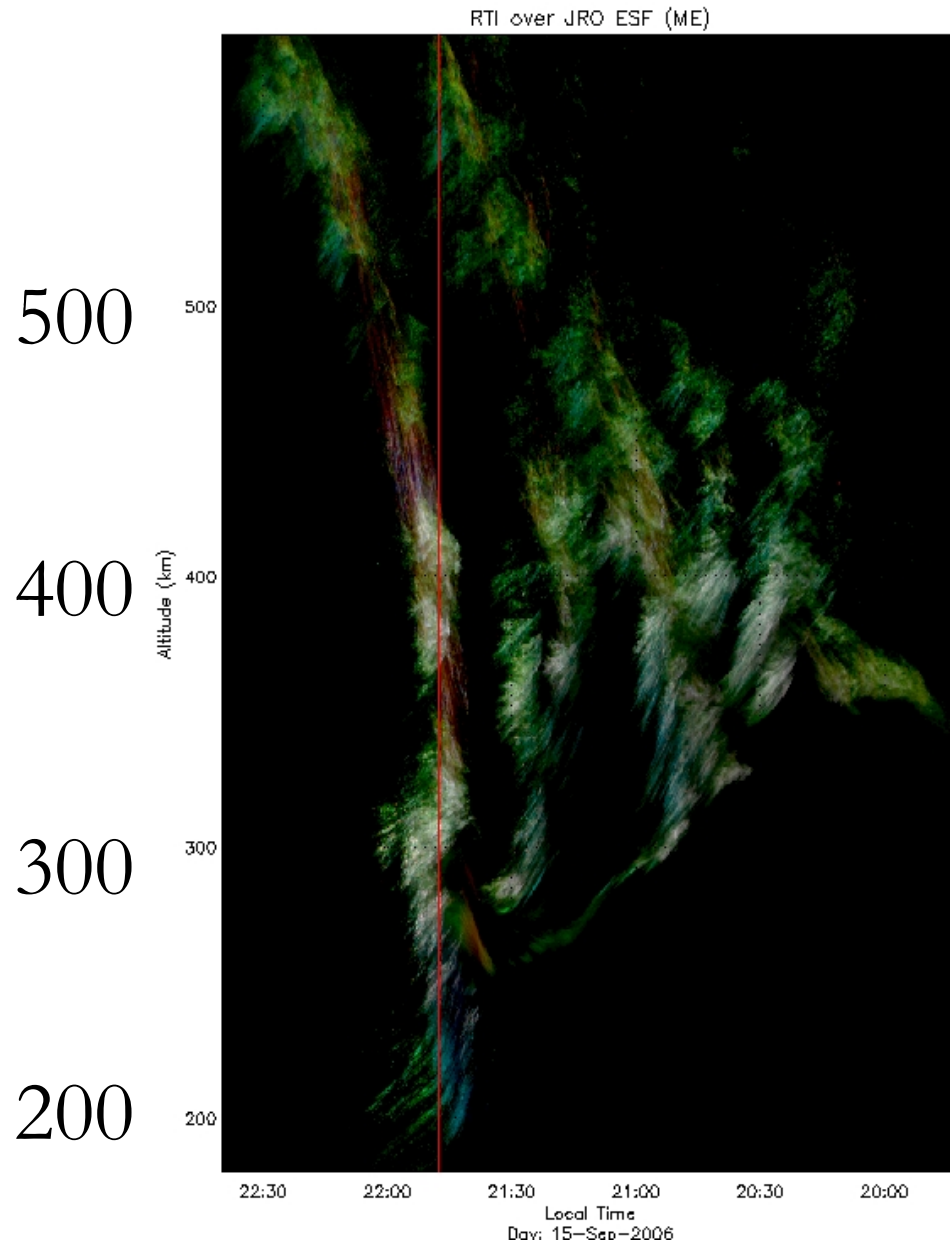
# ESF RTDI: Slit camera interpretation

RTDI over JRO ESF (ME)



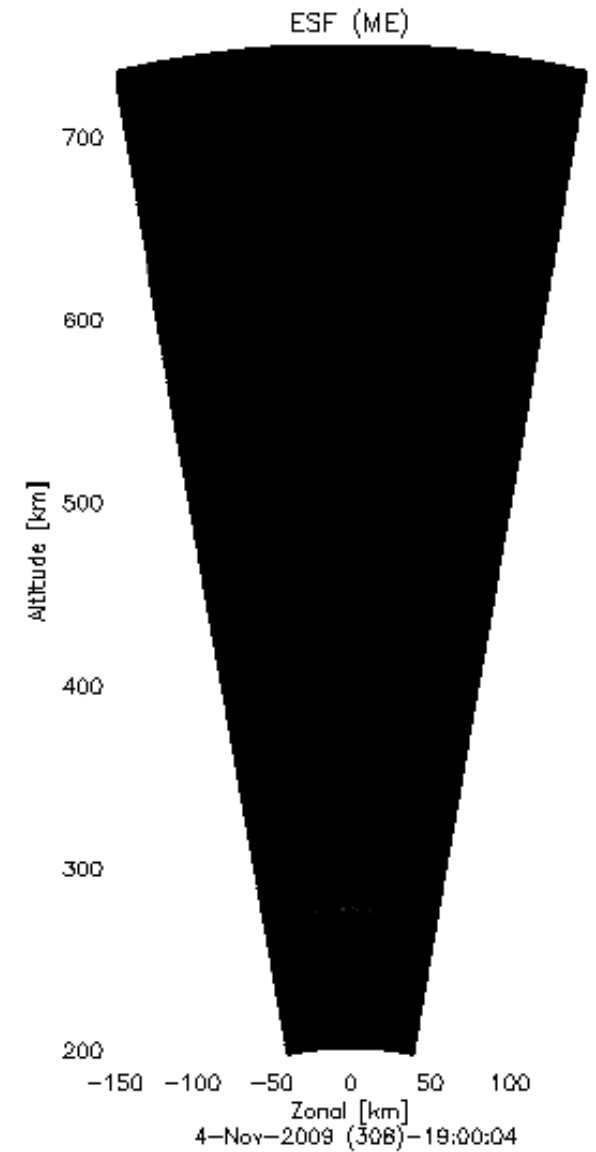
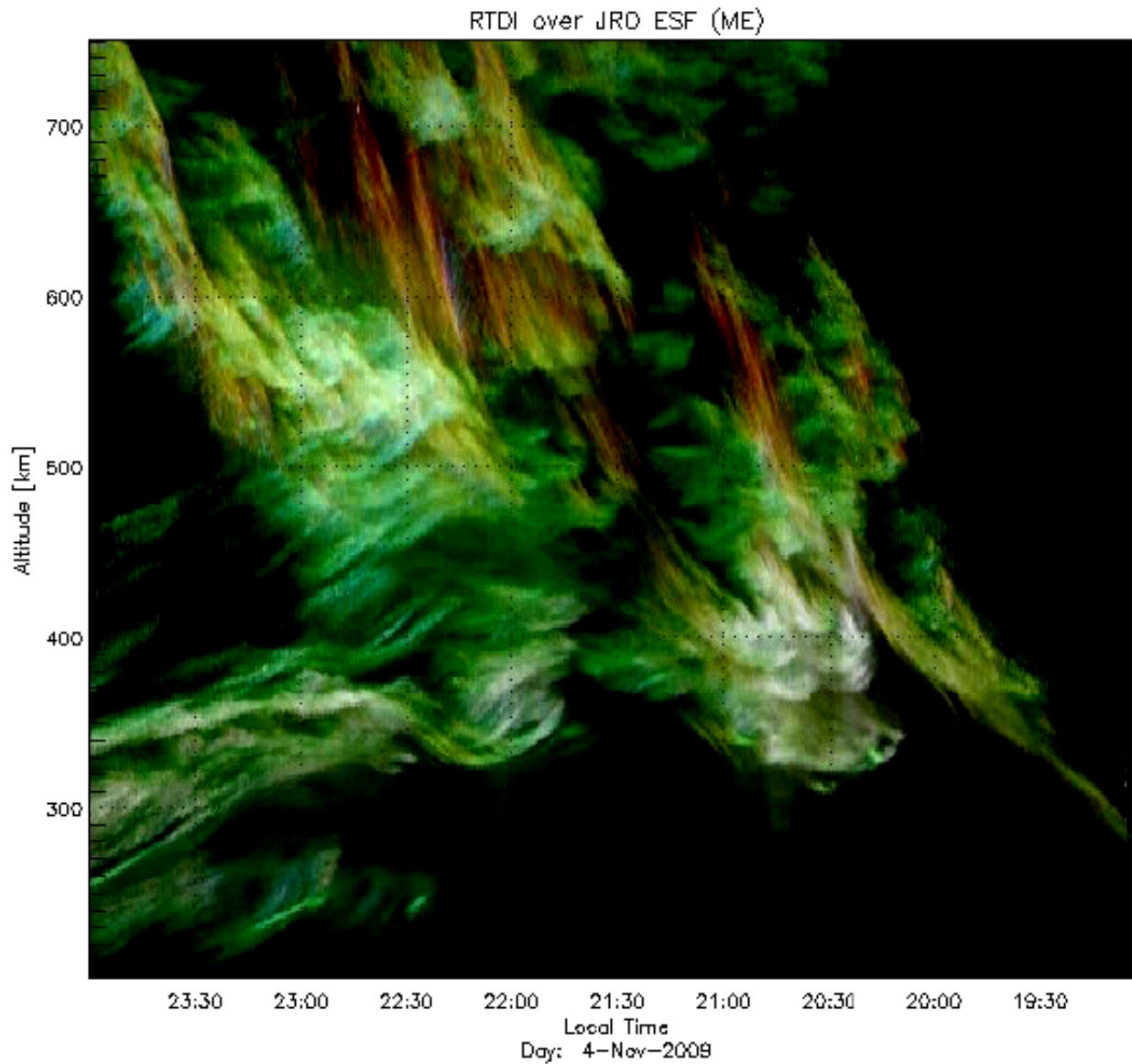
- Typical RTI maps are shown with “false” colors (colors from a pre-defined color table are associated to the signal intensity).
- Here we use Doppler for color. True 24-bit color range time intensity (RTI) plot using Doppler information (RTDI). RTI map is obtained for three Doppler regions centered around: -ve (Red), zero (Green), and +ve (Blue) Doppler velocities.
- It allows, for example, identification of regions and times where there is a depletion channel pinching off, Doppler aliasing, Doppler widening, etc.

# ESF RTDI + Imaging (1)

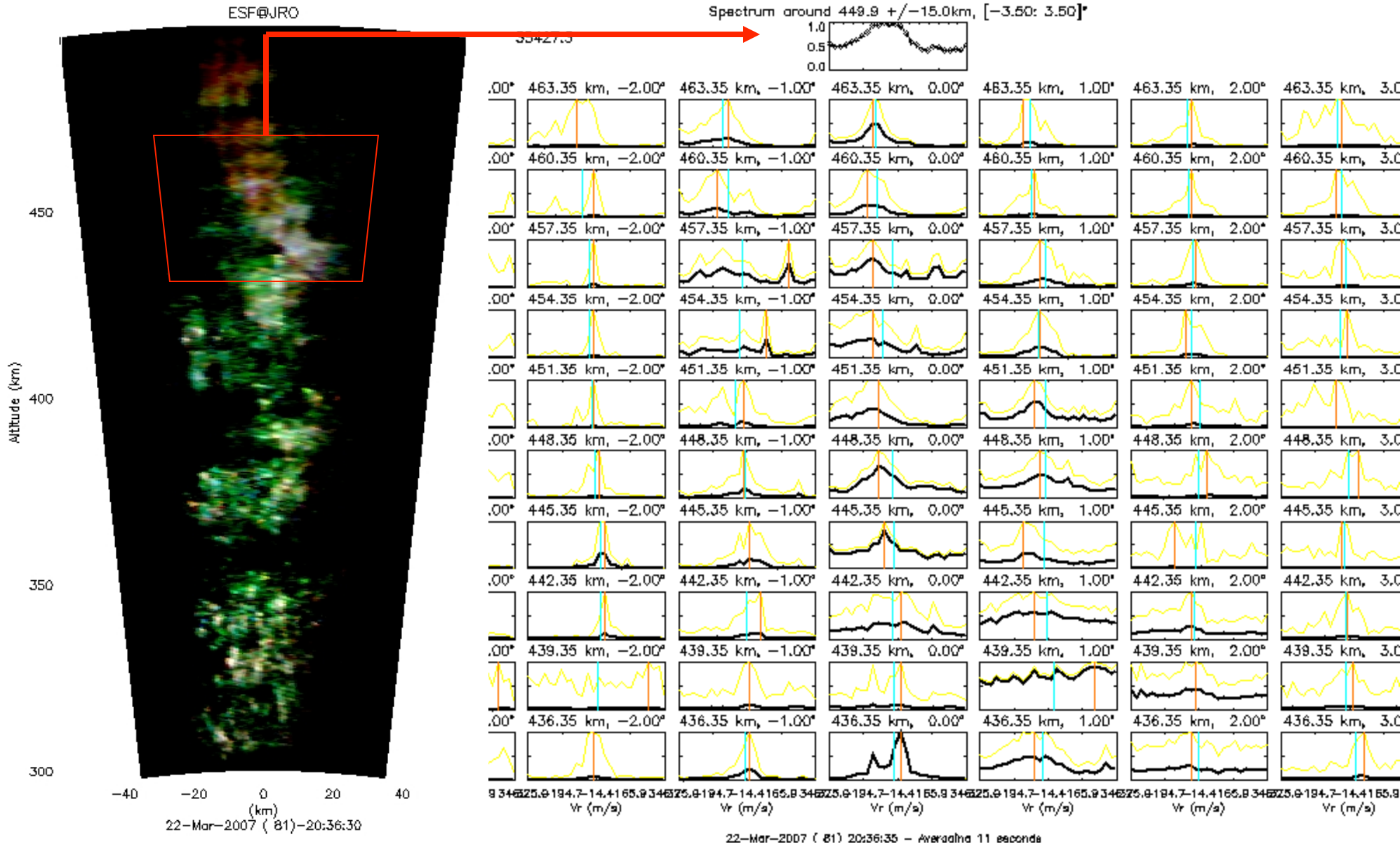




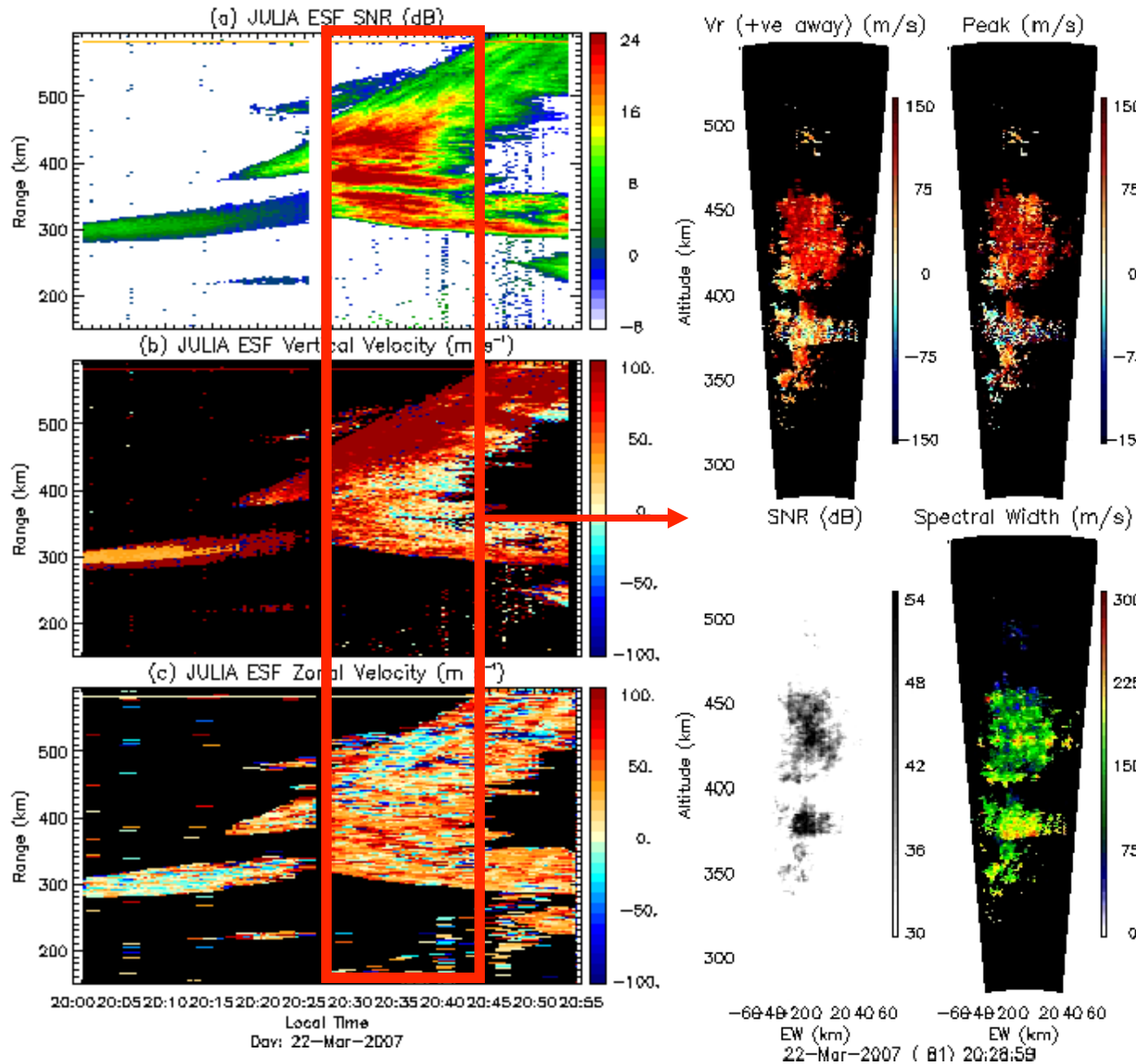
# ESF RTDI + Imaging (1)



# Spectra cuts from Imaging results

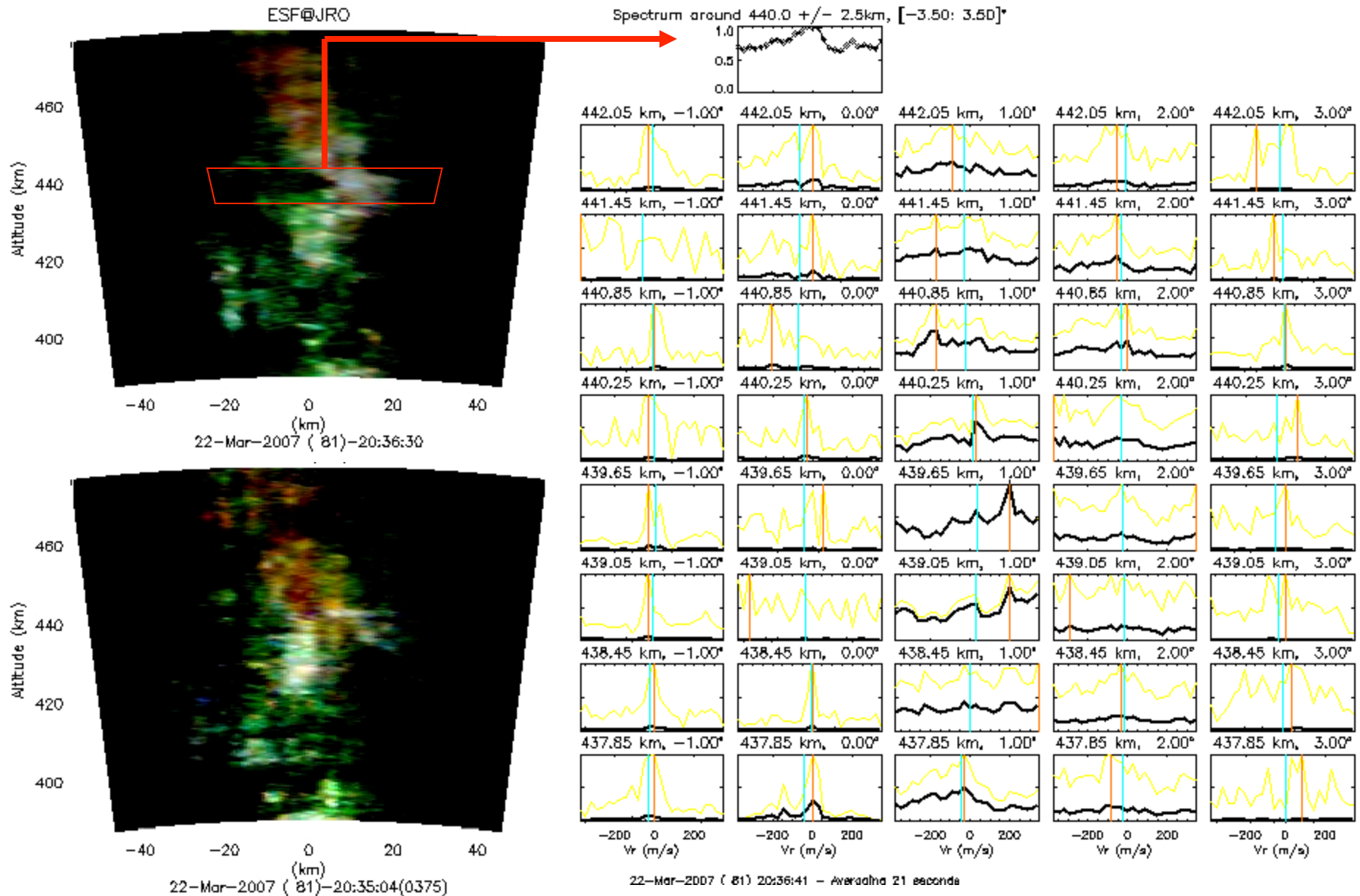


# Multi-beam Radar Observations from “Imaging”

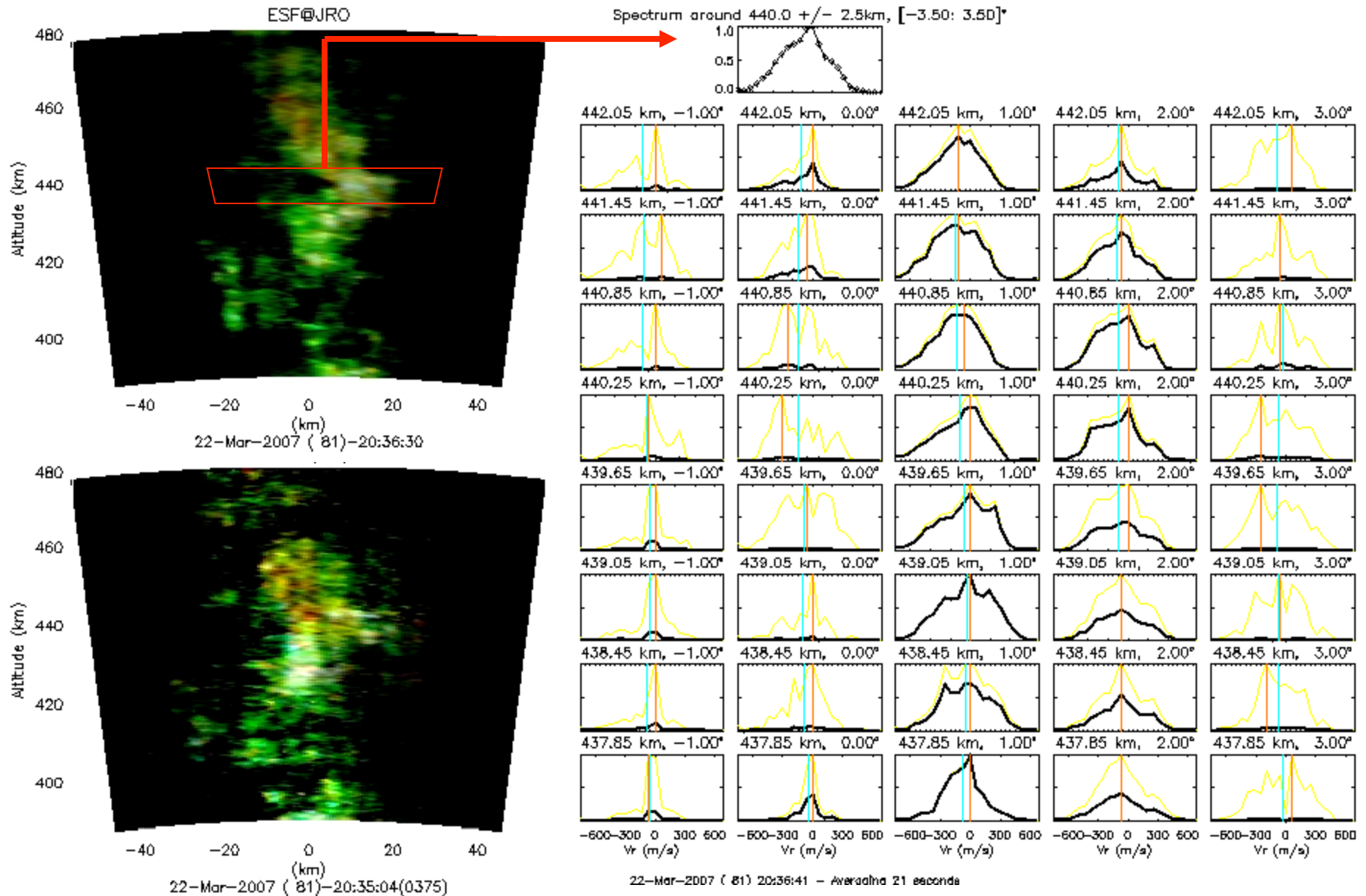


- JULIA-like parameters can be obtained from interferometry using a pair of antennas (SNR, mean vertical Doppler, zonal drift).
- Using imaging, we can get the spectra for different synthesized beams and range resolutions. In this example, each synthesized “scattering volume” is  $0.2^\circ$  and  $600m$  obtained every 10 sec.
- Investigate the possibility of estimating the irregularity spectrum by measuring the radar Doppler spectrum with different averaging volumes [e.g., *Hysell and Chau, 2004*]

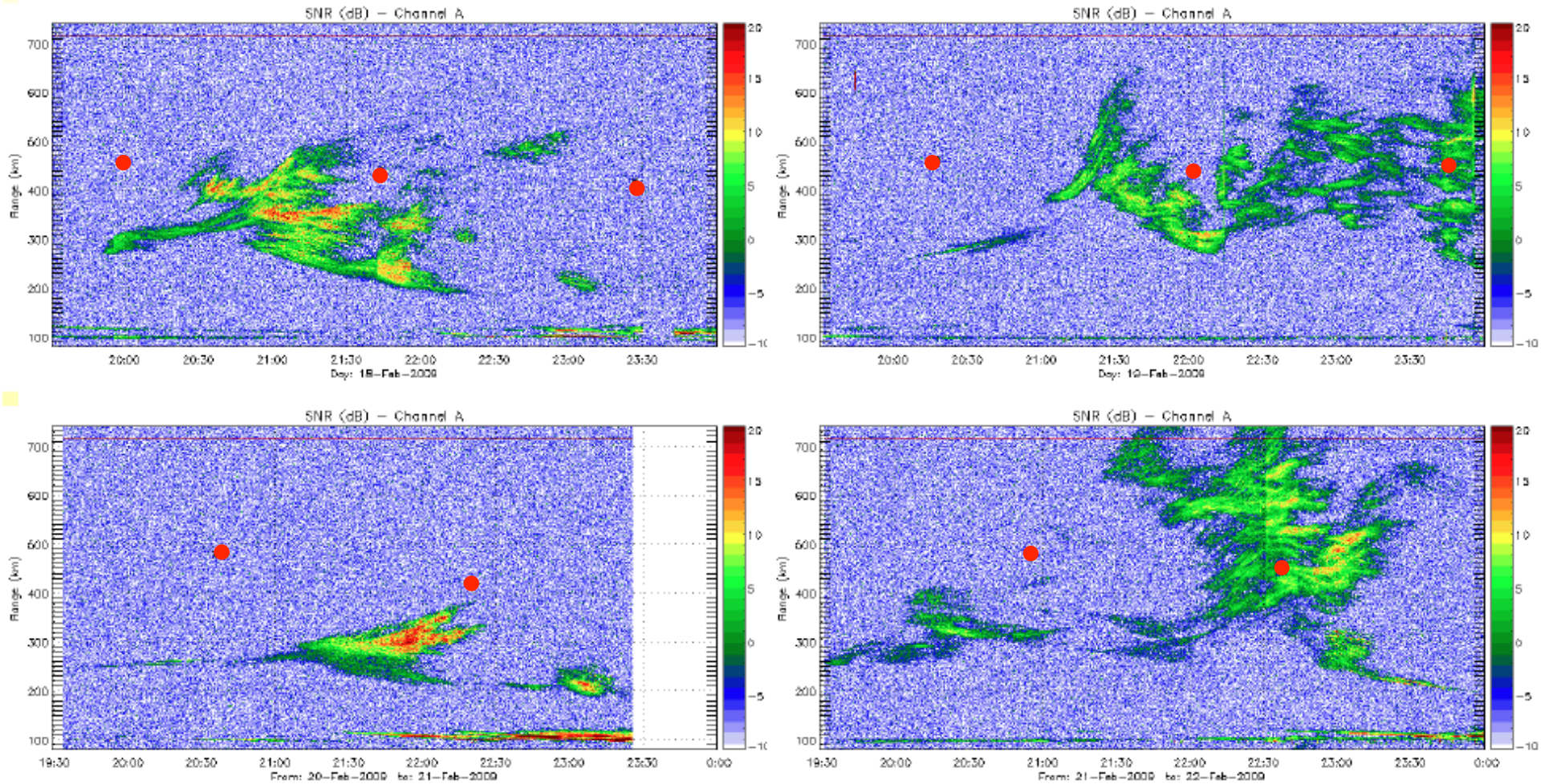
# ESF Imaging experiment with IPP=600: Frequency aliased spectra



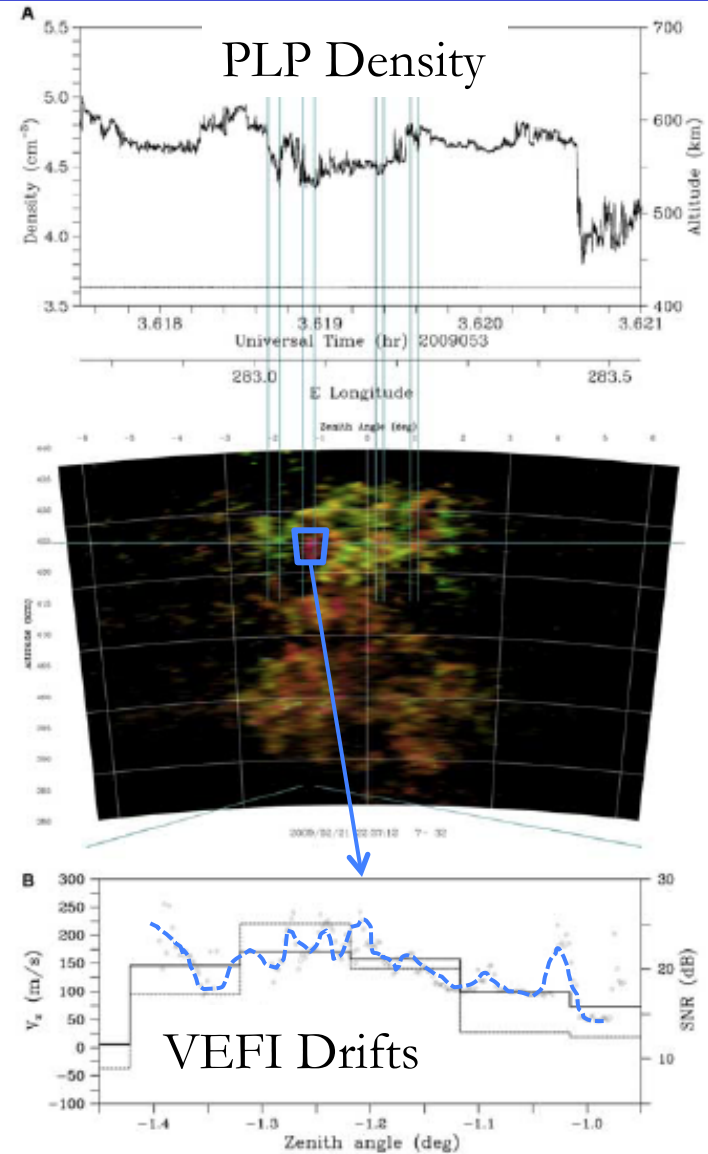
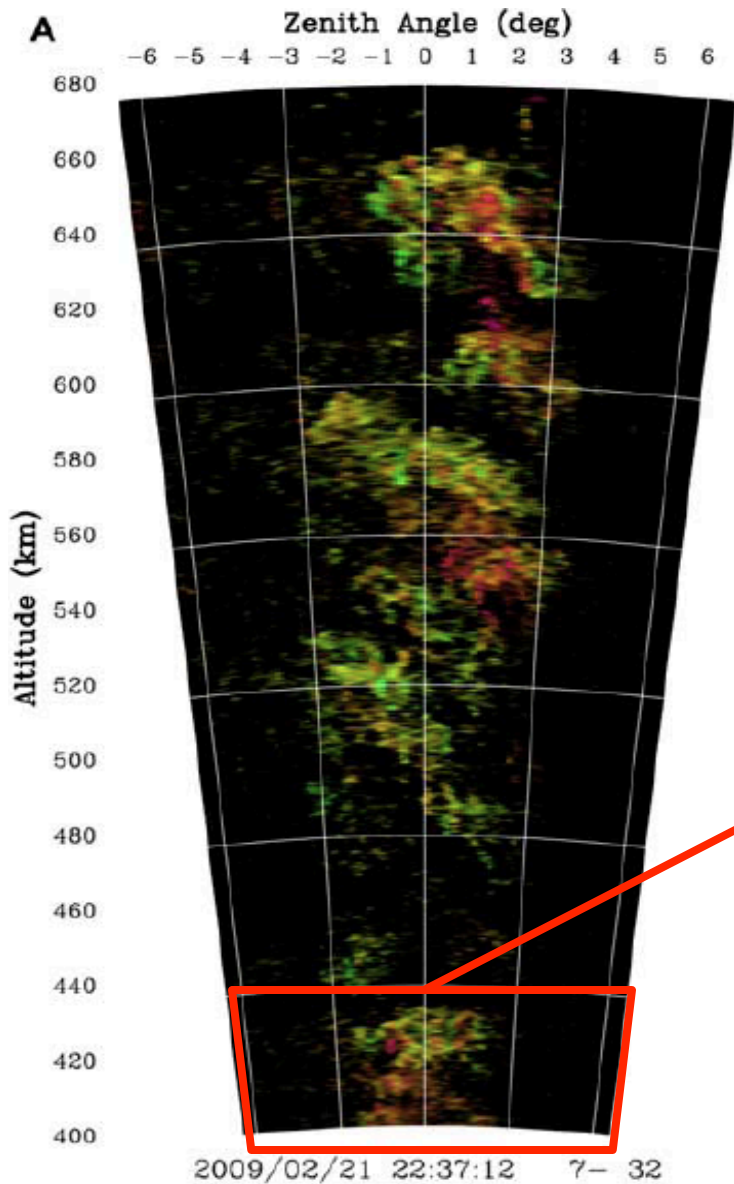
# ESF Imaging experiment with IPP=300: Range aliased, but without frequency aliasing



# Common volume: C/NOFS vs JRO



# Irregularity comparison: In-situ vs. Radar



[from *Hysell et al.*, 2009]

**Kiitos**